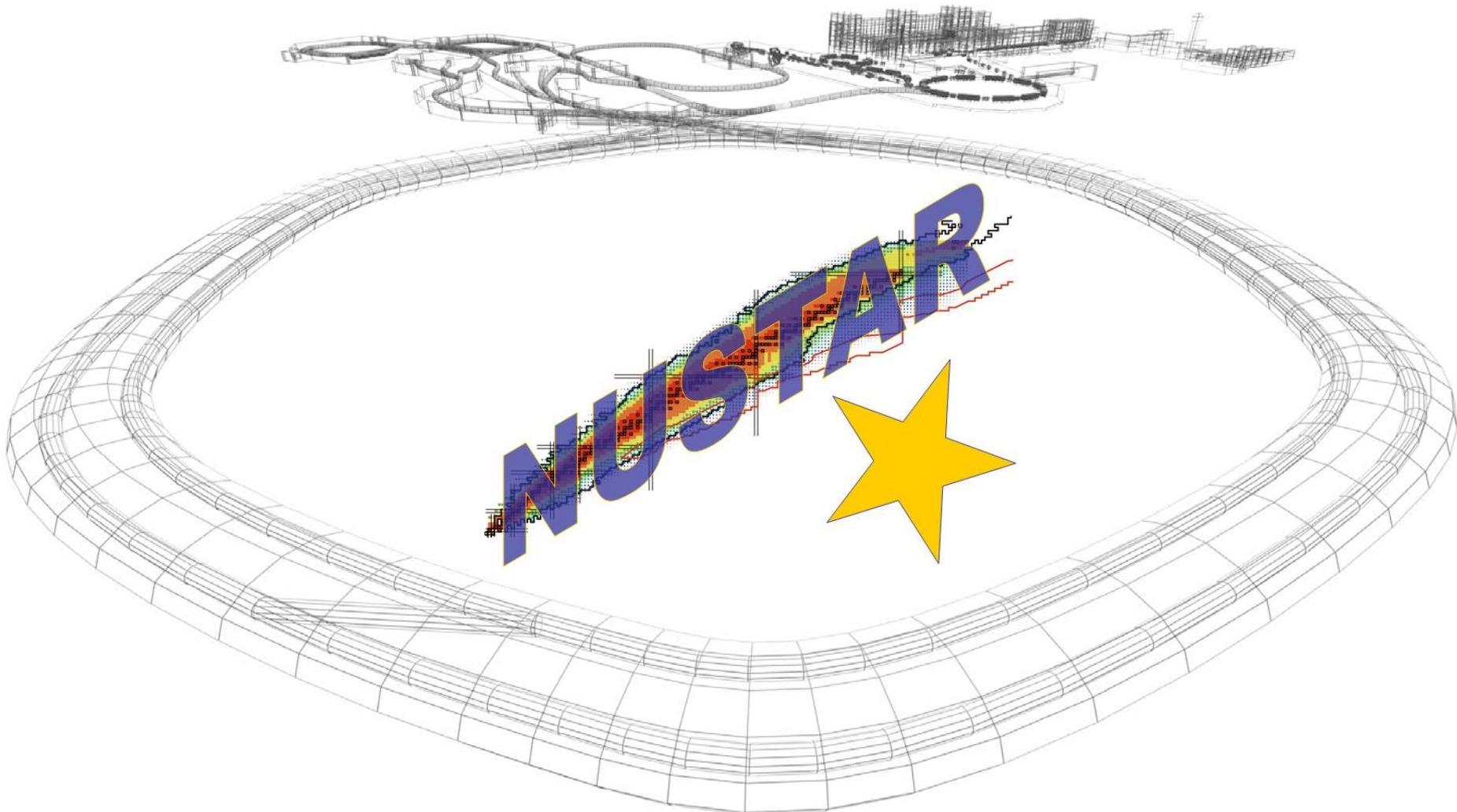


Physics with Exotic Nuclei

Hans-Jürgen Wollersheim



Outline

❖ Scattering Experiments with **RIBs** – Nuclear Structure Results

- Experimental evidence for closed-shell nuclei
- Scattering experiments at relativistic energies
- Projectile-like identification (Z, A) and scattering angle θ
- Doppler-shift correction of the emitted γ -rays

Physics with Exotic Nuclei

Experimental evidence for magic numbers close to stability

S. Raman et al., Atomic Data & Nuclear Data Tables 78, 1

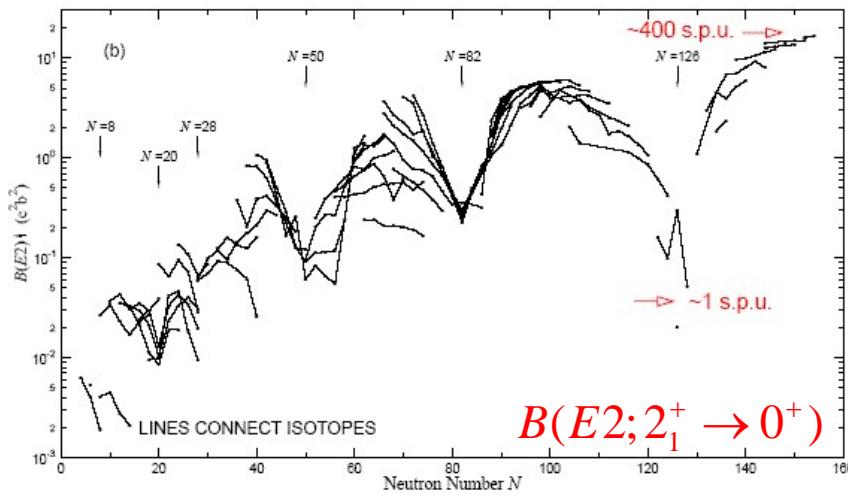
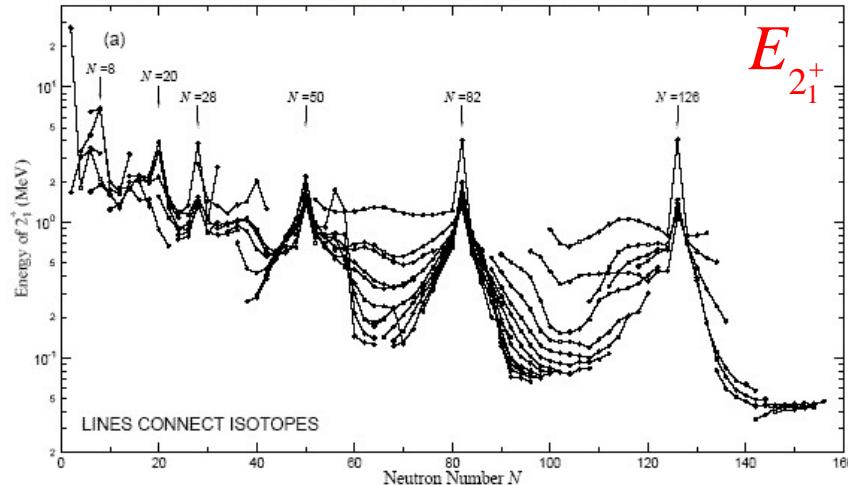


Table 1 -- Nuclear Shell Structure (from *Elementary Theory of Nuclear Shell Structure*, Maria Goeppert-Mayer & J. Hans D. Jensen, John Wiley & Sons, Inc., New York, 1955.)

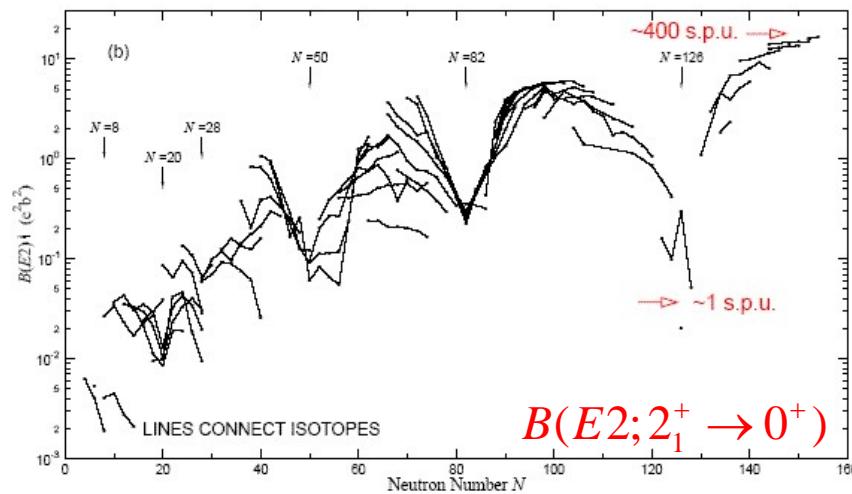
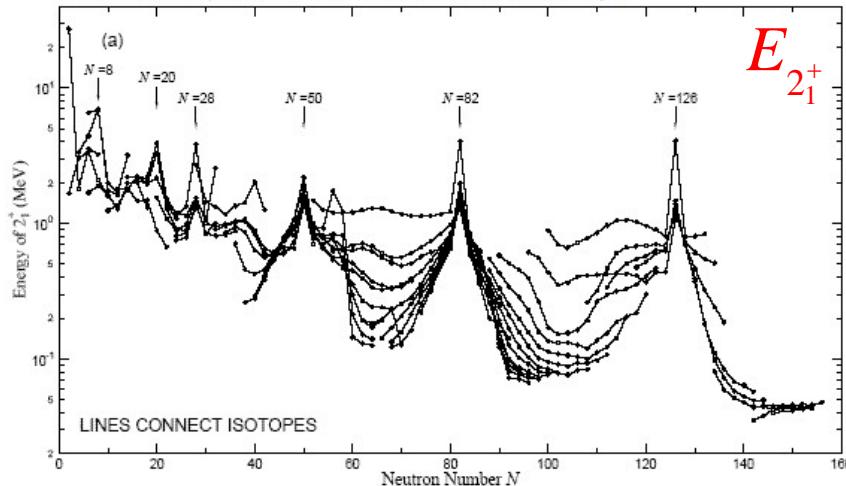
	Angular Momentum $(\hbar\Omega/2\pi)$	Spin-Orbit Coupling $(1/2, 3/2, 5/2, 7/2\dots)$	Number of Nucleons Shell	Total	Magic Number
7	1j	—	1j 15/2	16	[184] — {184}
6	4s	3d 3/2	4s 1/2	4	[168]
6	3d	2g 7/2	2g 5/2	2	[162]
6	2g	1i 11/2	1i 9/2	8	[154]
6	1i	3d 5/2	3d 3/2	6	[142]
		2g 9/2	2g 7/2	10	[136]
5	3p	—	1i 13/2	14	[126] — {126}
5	2f	3p 1/2	3p 1/2	2	[112]
5	2f	2f 5/2	2f 5/2	4	[110]
5	1h	2f 7/2	2f 5/2	6	[106]
		1h 9/2	1h 7/2	8	[100]
4	3s	—	1h 11/2	12	[82] — {82}
4	2d	3s 1/2	3s 1/2	2	[70]
		2d 3/2	2d 3/2	4	[68]
		2d 5/2	2d 5/2	6	[64]
		1g 7/2	1g 5/2	8	[58]
4	1g	—	1g 9/2	10	[50] — {50}
3	2p	—	2p 1/2	2	[40] — {40}
		1f 5/2	1f 5/2	6	[38]
		2p 3/2	2p 3/2	4	[32]
		1f 7/2	1f 7/2	8	[28] — {28}
2	2s	—	1d 3/2	4	[20] — {20}
2	1d	2s 1/2	2s 1/2	2	[16]
		1d 5/2	1d 5/2	6	[14]
1	1p	—	1p 1/2	2	[8] — {8}
		1p 3/2	1p 3/2	4	[6]
0	1s	—	1s 1/2	2	[2] — {2}



Physics with Exotic Nuclei

Experimental evidence for magic numbers close to stability

S. Raman et al., Atomic Data & Nuclear Data Tables 78, 1



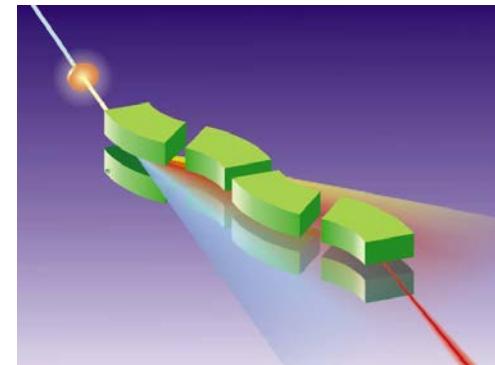
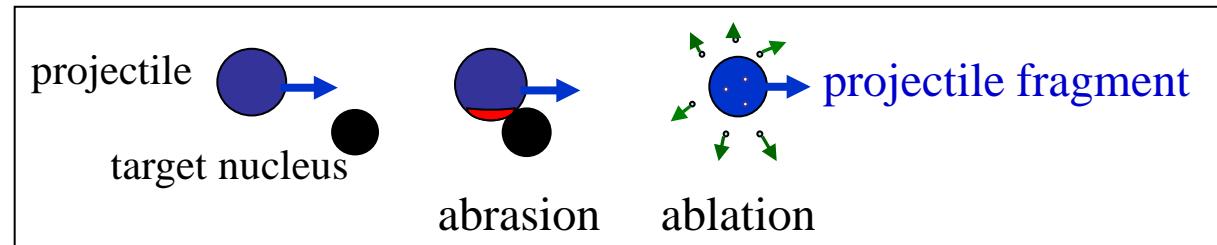
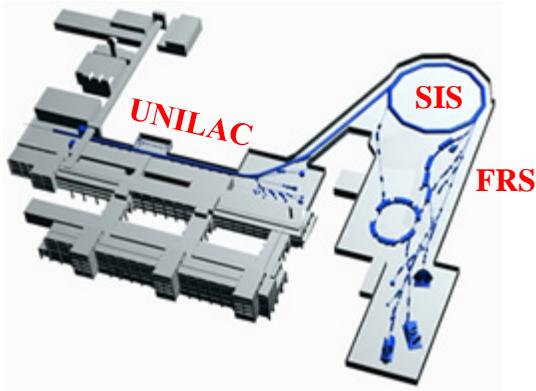
Nuclei with magic numbers
of neutrons/protons

high energy of 2_1^+ state

low $B(E2; 2_1^+ \rightarrow 0^+)$ values
transition probability measured in
single particle units (spu)

If we move away from stability?

Production, Separation, Identification

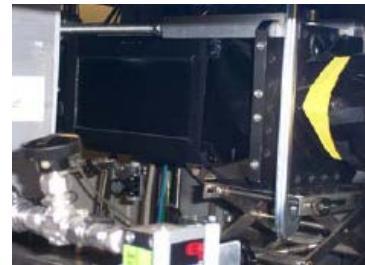


FRagment
Separator

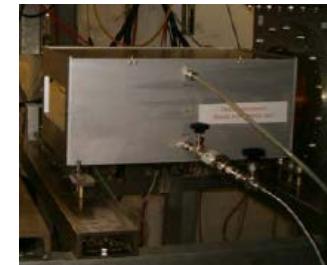
Standard FRS detectors



TPC-**x,y**
position
@ S2,S4

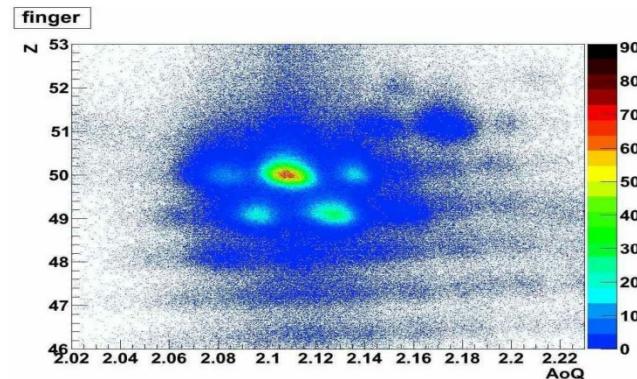
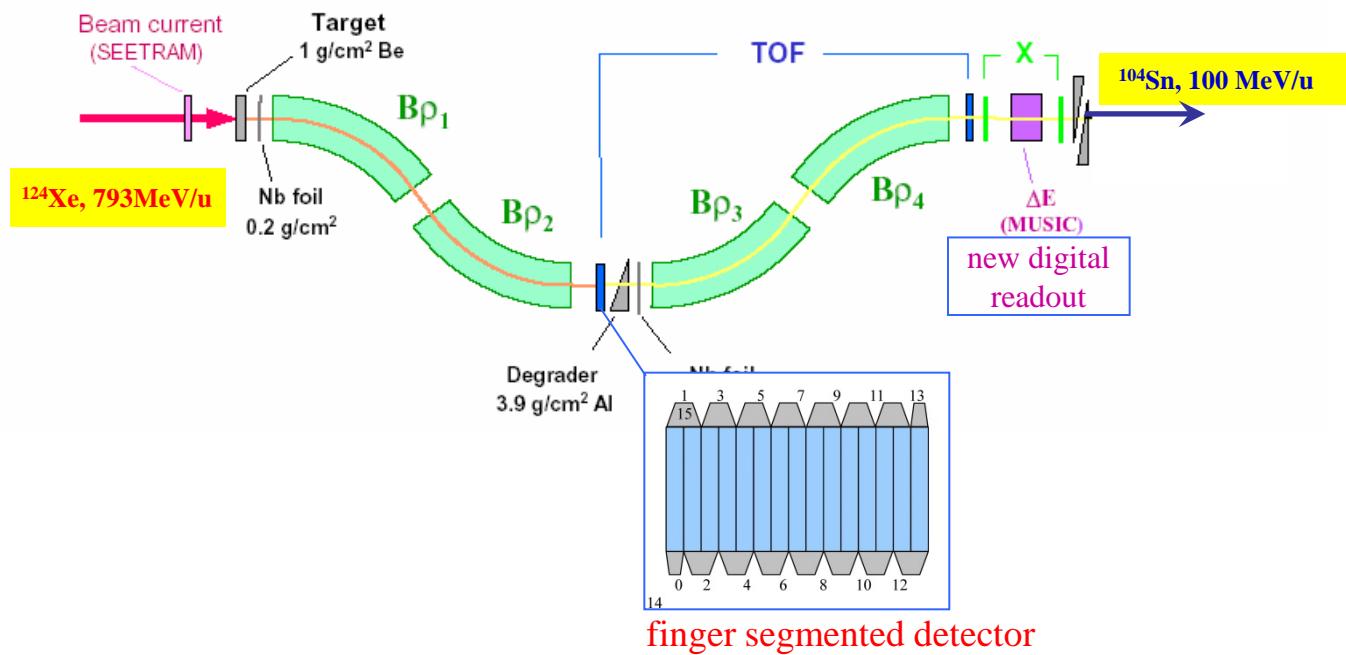


Plastic
scintillator
(**TOF**)
@ S4



MUSIC
(ΔE)
@ S4

Scattering Experiment at Relativistic Energies

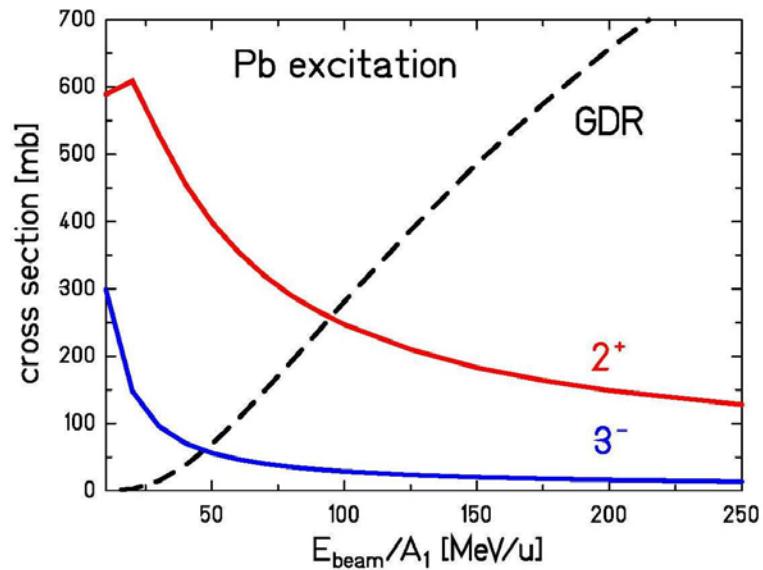
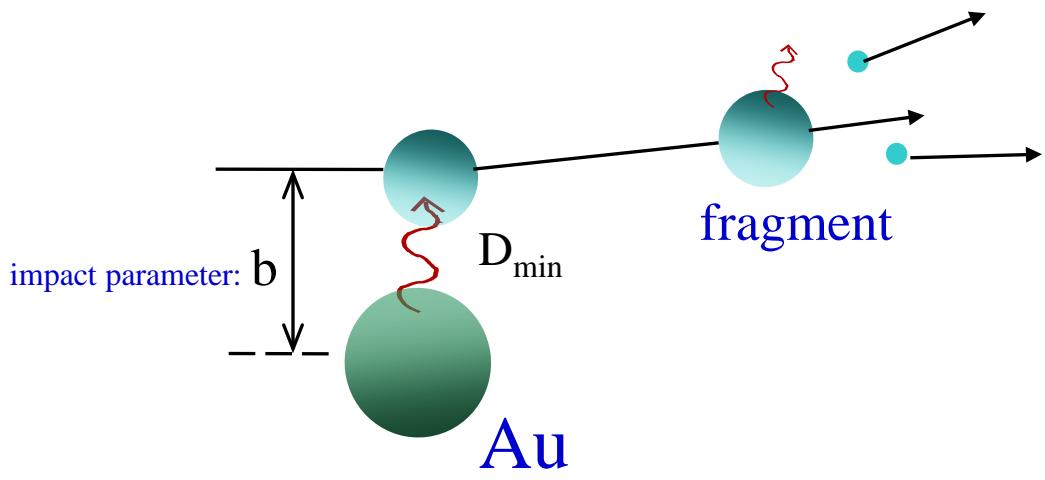


^{104}Sn fragments
using ^{124}Xe at 793 MeV/u

high rate at S2 $\sim 10^6 \text{ s}^{-1}$

- ~2400 % more tracking efficiency
- good A/Q resolving power

Scattering Experiment at Relativistic Energies

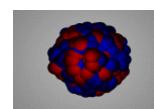


Rutherford scattering only if distance of closest approach D_{\min} is large compared to nuclear radii + surfaces:

$$D_{\min} > C_P + C_T + 5 \text{ fm}$$

C_P, C_T half-density radii

$$\sigma_{\pi\lambda} \approx \left(\frac{Z_p e^2}{\hbar c} \right)^2 \cdot \frac{\pi}{e^2 b^{2\lambda-2}} \cdot B(\pi\lambda; 0 \rightarrow \lambda) \cdot \begin{cases} (\lambda-1)^{-1} & \text{for } \lambda \geq 2 \\ 2 \ln(b_a/b) & \text{for } \lambda = 1 \end{cases}$$



$$E^* \approx 13.3 \text{ MeV}$$

$$B(E1; 0 \rightarrow 1^-) \approx 0.55 e^2 b$$



$$E^* = 4.086 \text{ MeV}$$

$$B(E2; 0 \rightarrow 2^+) = 9 \text{ Wu}$$



$$E^* = 2.615 \text{ MeV}$$

$$B(E3; 0 \rightarrow 3^-) = 34 \text{ Wu}$$

Atomic Background Radiation

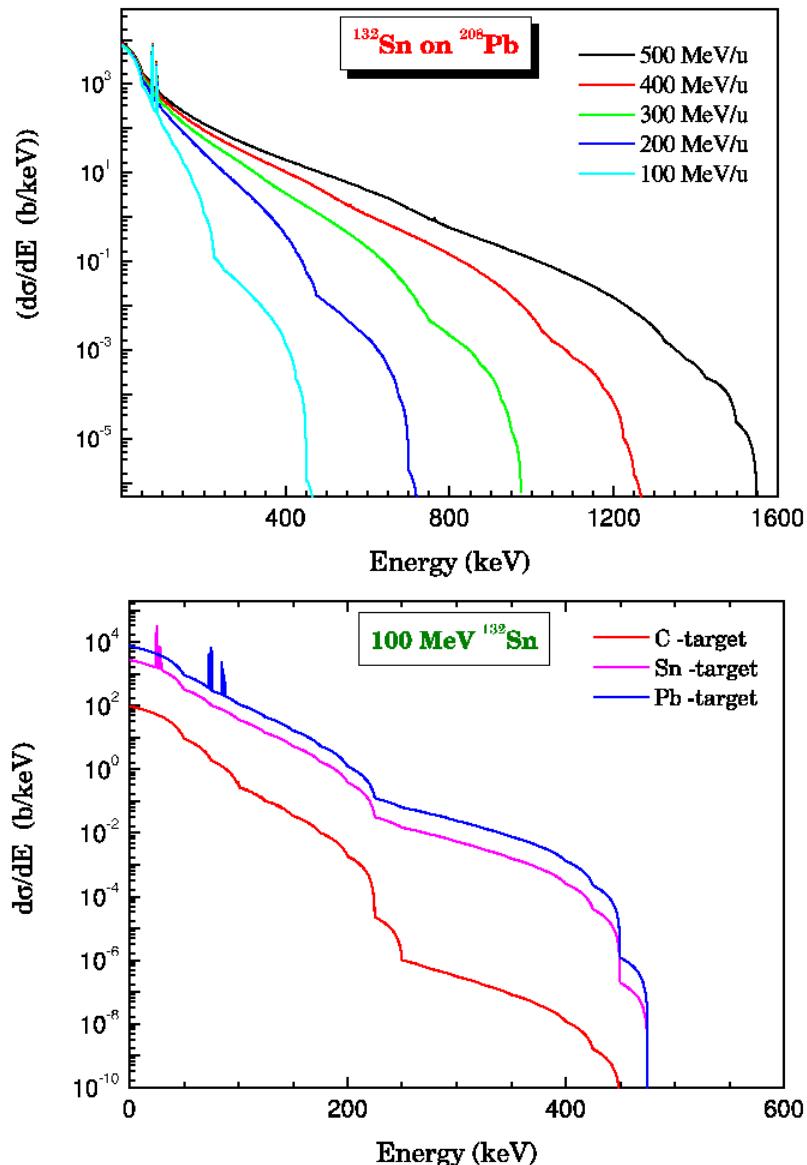
➤ Radiative electron capture (REC)
capture of target electrons into
bound states of the projectile:

$$\sigma \sim Z_p^2 \cdot Z_t$$

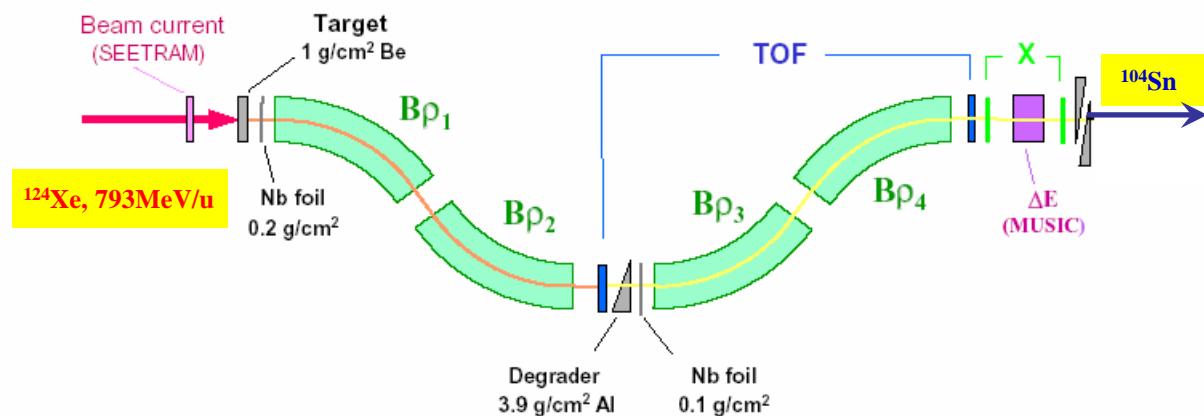
➤ Primary Bremsstrahlung (PB)
capture of target electrons into
continuum states of the projectile:

$$\sigma \sim Z_p^2 \cdot Z_t$$

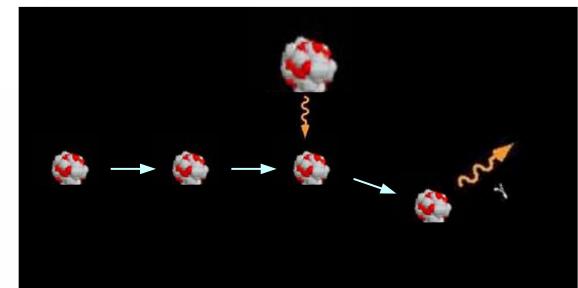
➤ Secondary Bremsstrahlung (SB)
Stopping of high energy electrons
in the target: $\sigma \sim Z_p^2 \cdot Z_t^2$



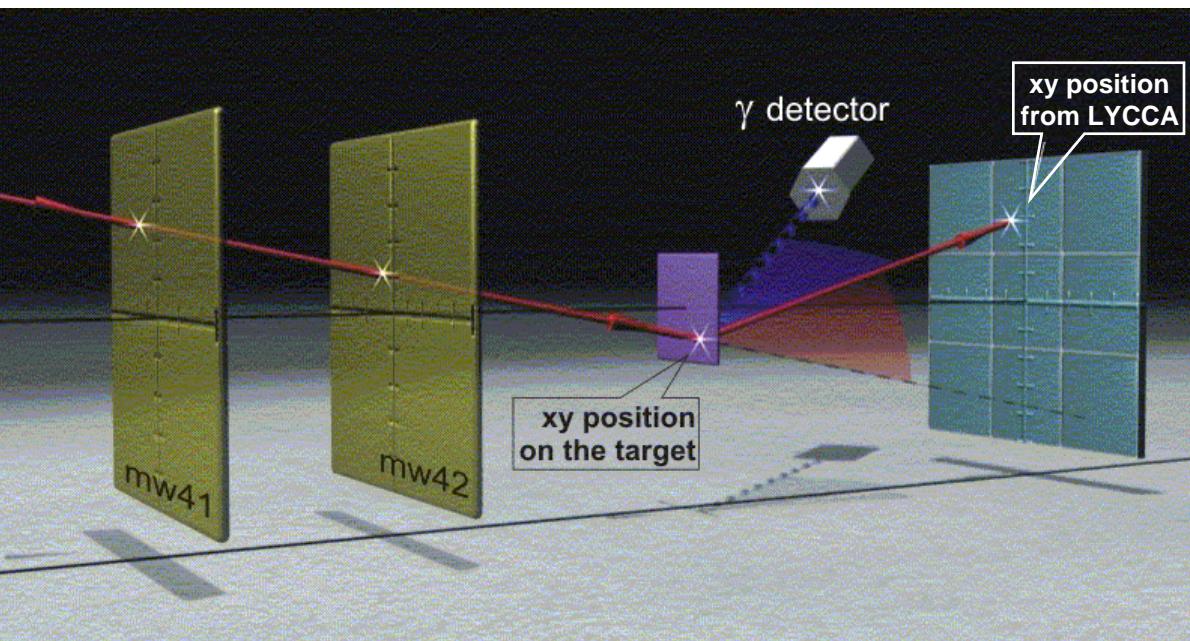
Scattering Experiment at Relativistic Energies



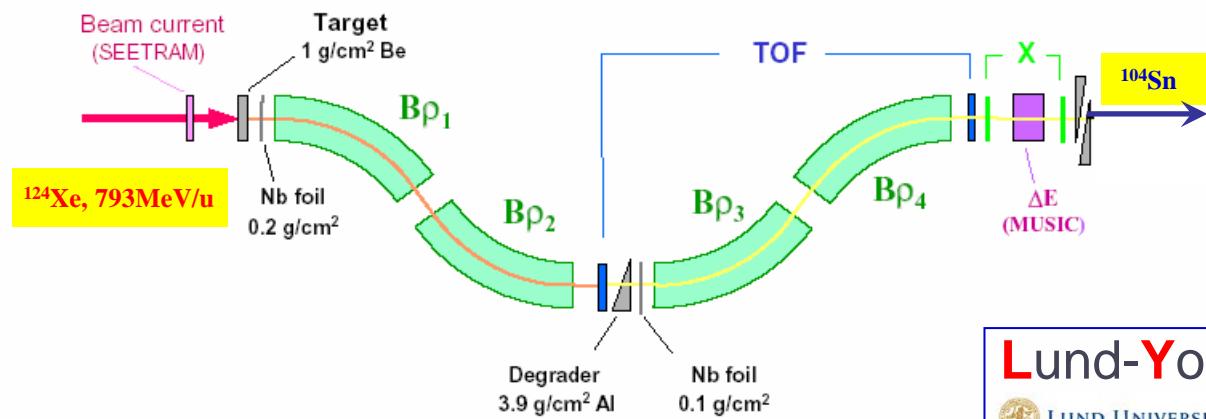
197 Au-target



relativistic Coulomb excitation



Scattering Experiment at Relativistic Energies



Lund-York-Cologne CALorimeter



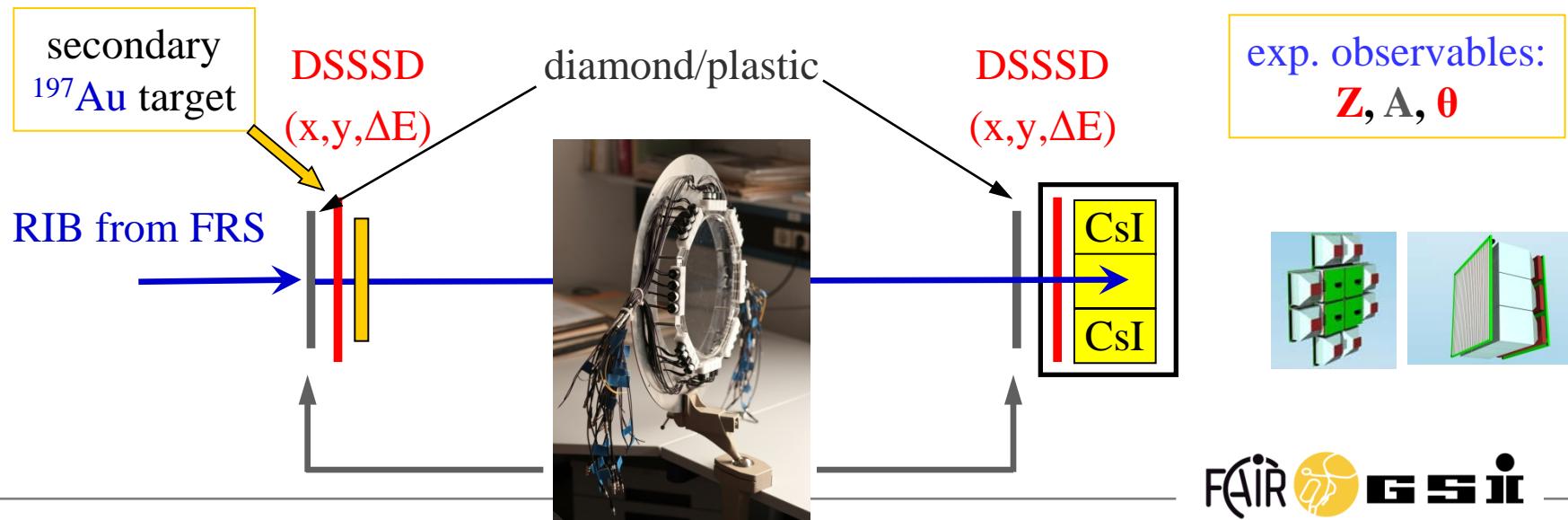
LUND UNIVERSITY



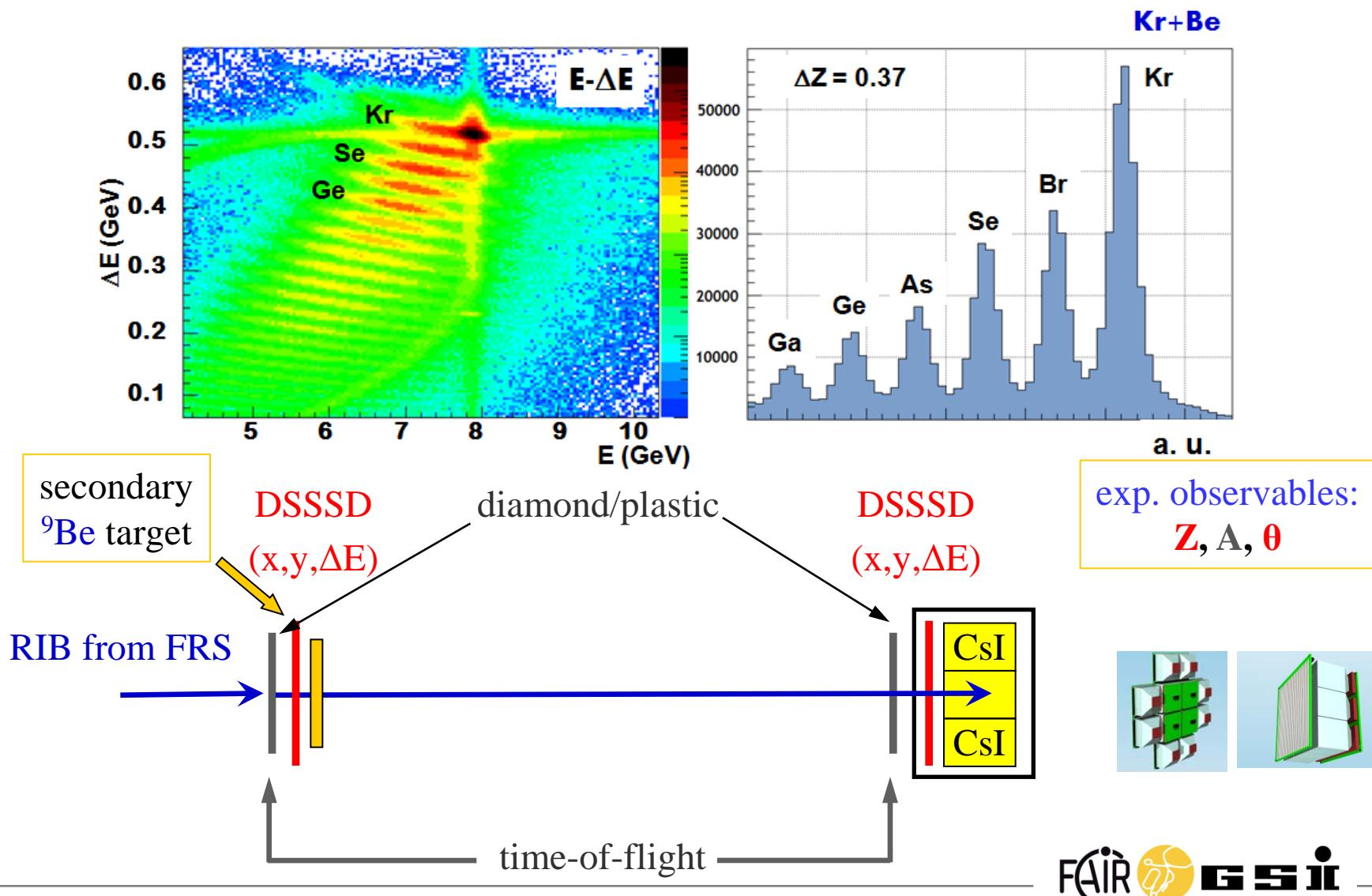
THE UNIVERSITY OF YORK



University of Cologne



Scattering Experiment at Relativistic Energies



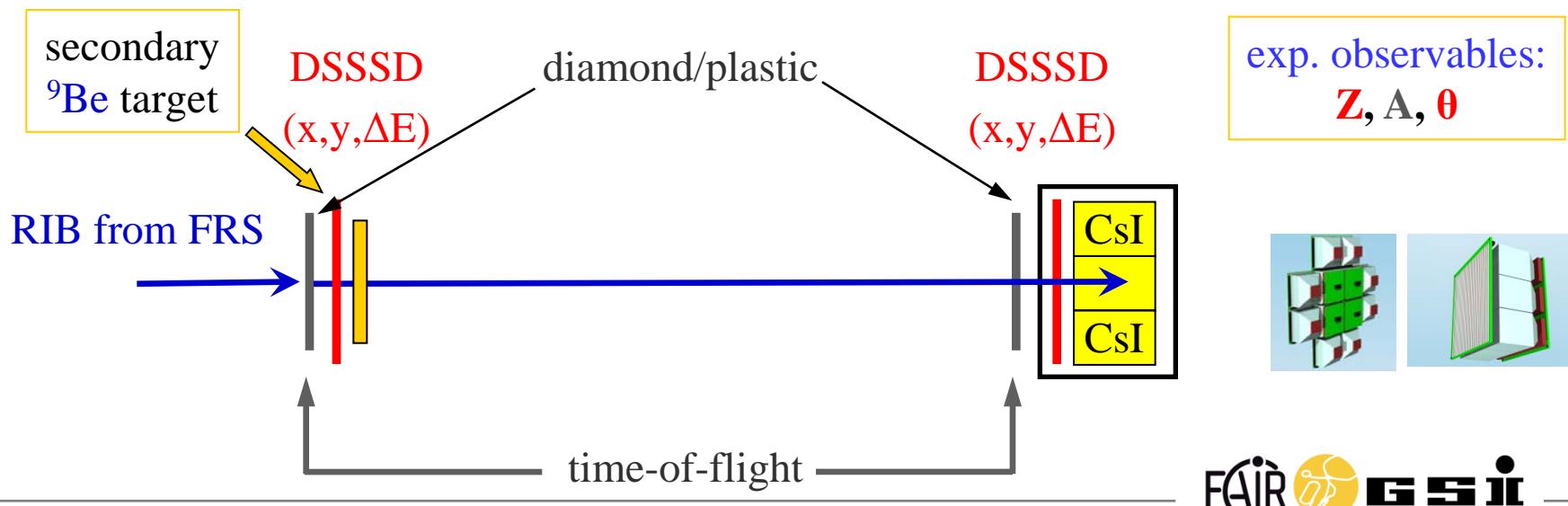
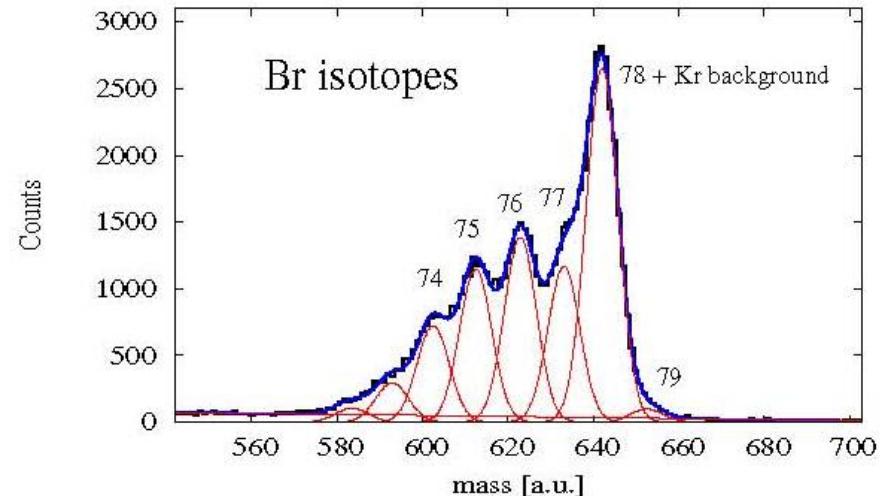
Scattering Experiment at Relativistic Energies

$$m \cdot c^2 = \frac{E_{kin}}{\gamma - 1}$$

with $E_{kin} = E_{CsI} + \Delta E_{DSSSD}$

and $\gamma = \frac{1}{\sqrt{1 - (\frac{v}{c})^2}}$

with v from LYCCA-ToF



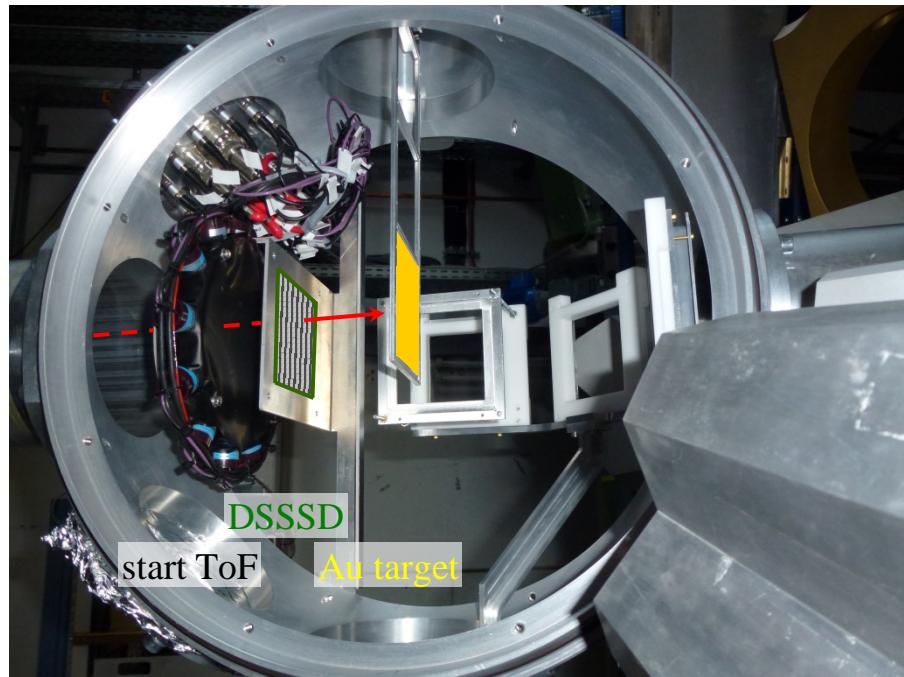
Lund-York-Cologne CALorimeter



LUND UNIVERSITY THE UNIVERSITY OF YORK



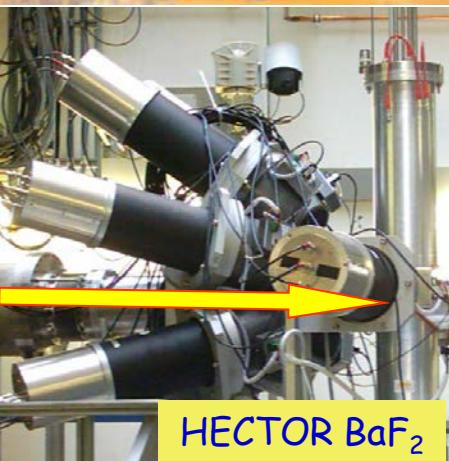
University of Cologne



*PreSPEC target chamber
variable target position (13cm, 23cm)*



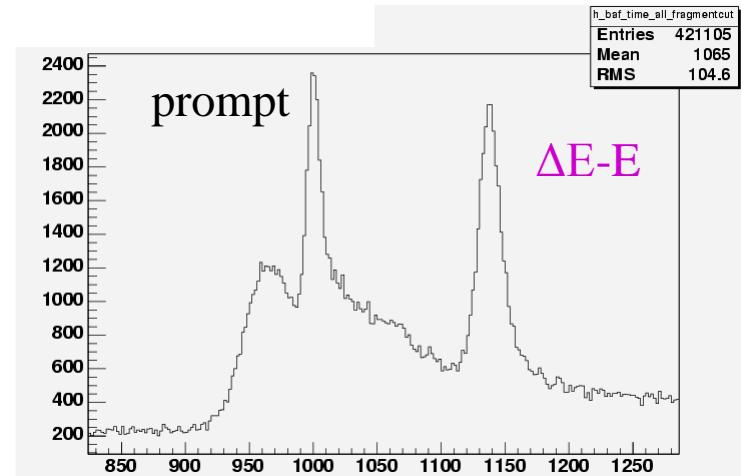
Additional γ -Ray Background Radiation



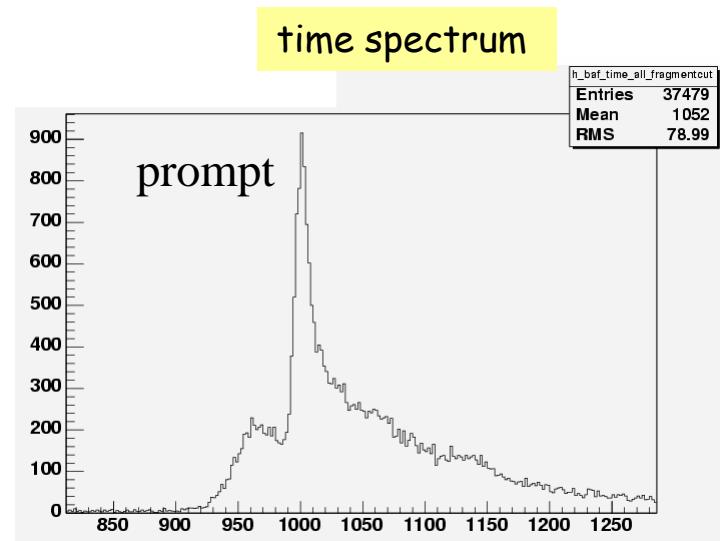
^{37}Ca beam
at 196 MeV/u

Coulomb excitation:
A/Q - ^{37}Ca
all Ca detected in ΔE -E

1‰ interaction target
most γ -rays from CATE

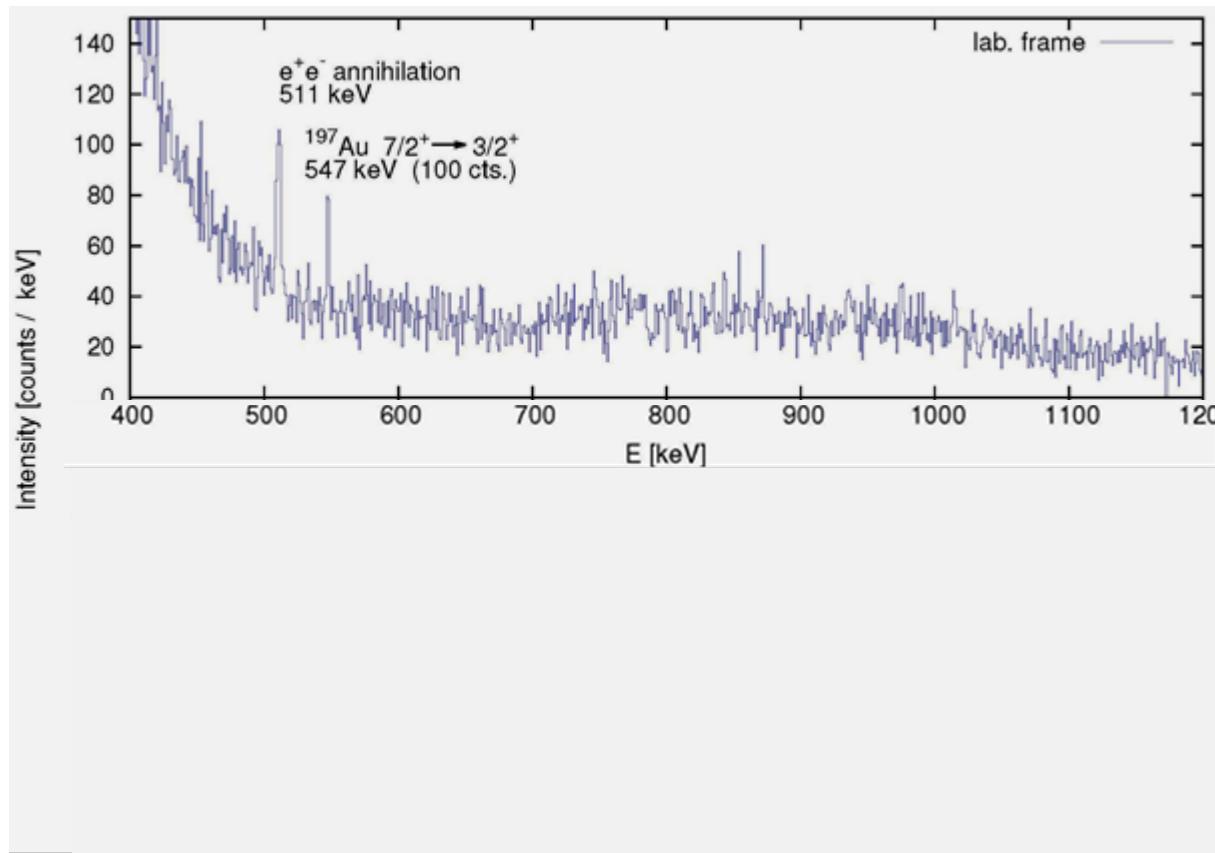


Fragmentation:
A/Q - ^{37}Ca
K detected (mainly ^{36}K)



Scattering Experiment at Relativistic Energies

$^{80}\text{Kr} \rightarrow ^{197}\text{Au}$, 150 AMeV



Doppler effect

$$\frac{E_{\gamma 0}}{E_\gamma} = \frac{1 - \beta \cdot \cos \vartheta_\gamma^{\text{lab}}}{\sqrt{1 - \beta^2}}$$

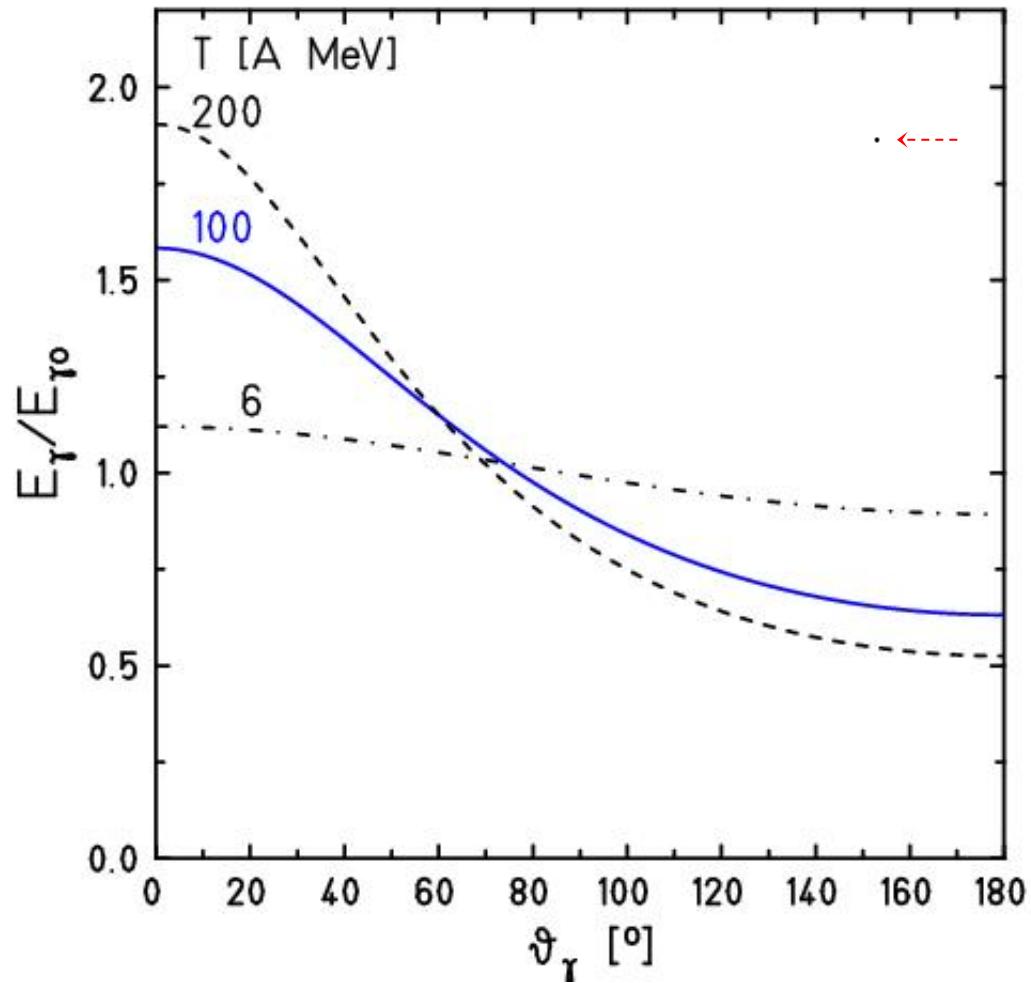
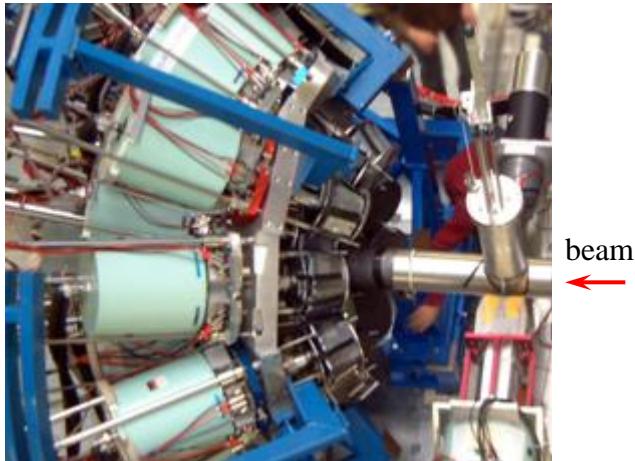
Scattering Experiment at Relativistic Energies

Doppler effect:

$$\frac{E_{\gamma 0}}{E_\gamma} = \frac{1 - \beta \cdot \cos \vartheta_{\gamma}^{lab}}{\sqrt{1 - \beta^2}} \quad \text{for } \vartheta_p \approx 0^\circ$$

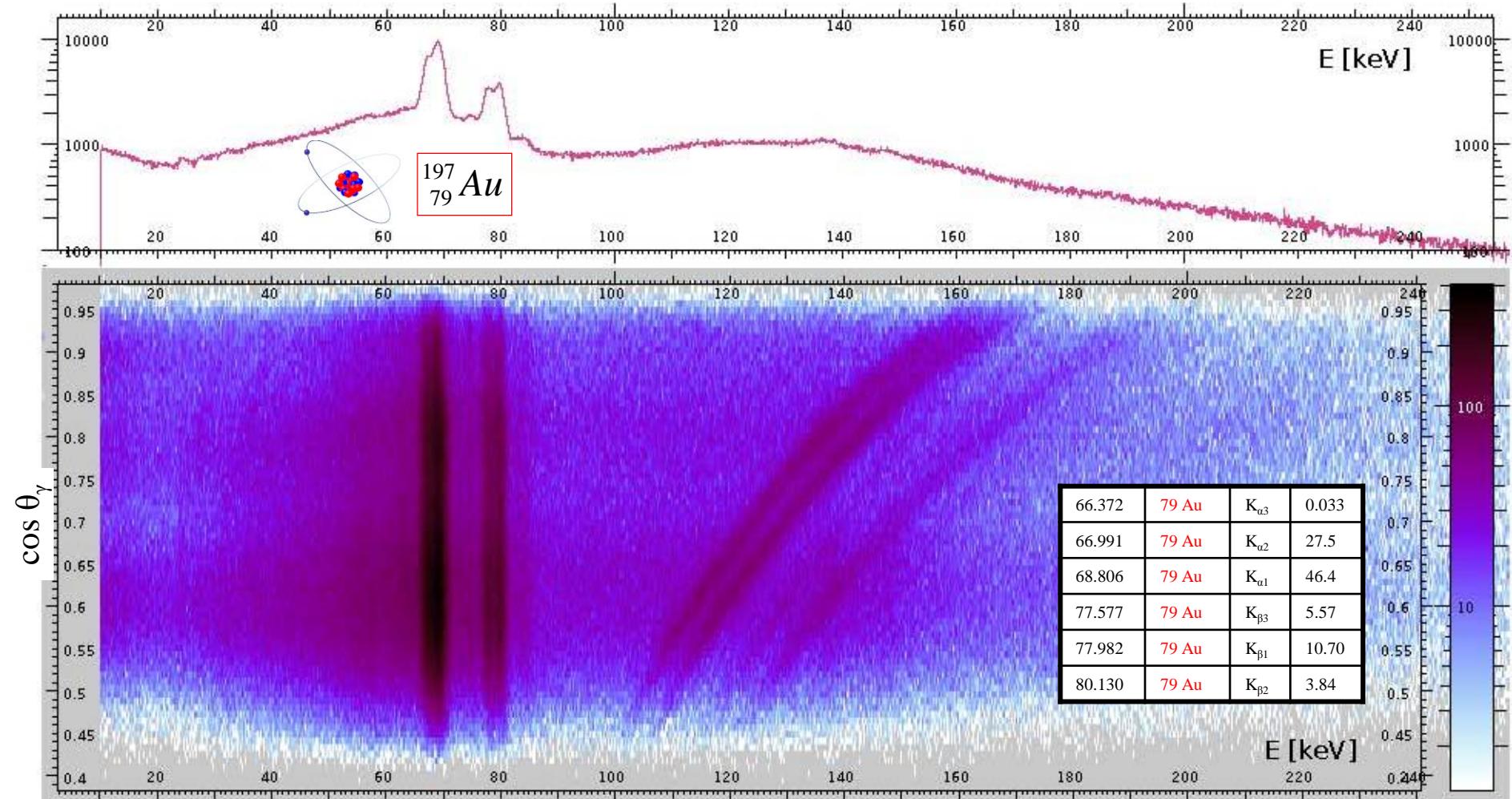
Lorentz boost:

$$\frac{d\Omega_{rest}}{d\Omega_{lab}} = \left(\frac{E_\gamma}{E_{\gamma 0}} \right)^2$$



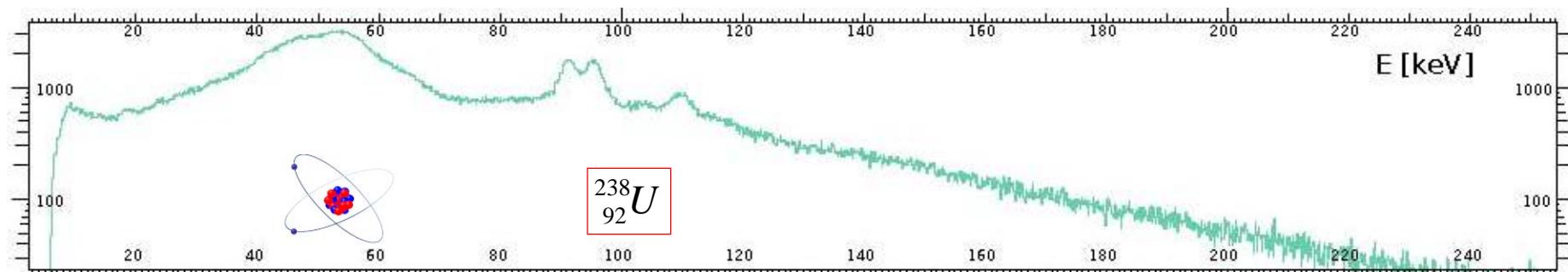
Doppler-Shift Correction

^{238}U on ^{197}Au (386 mg/cm²) at 183 AMeV



Doppler-Shift Correction

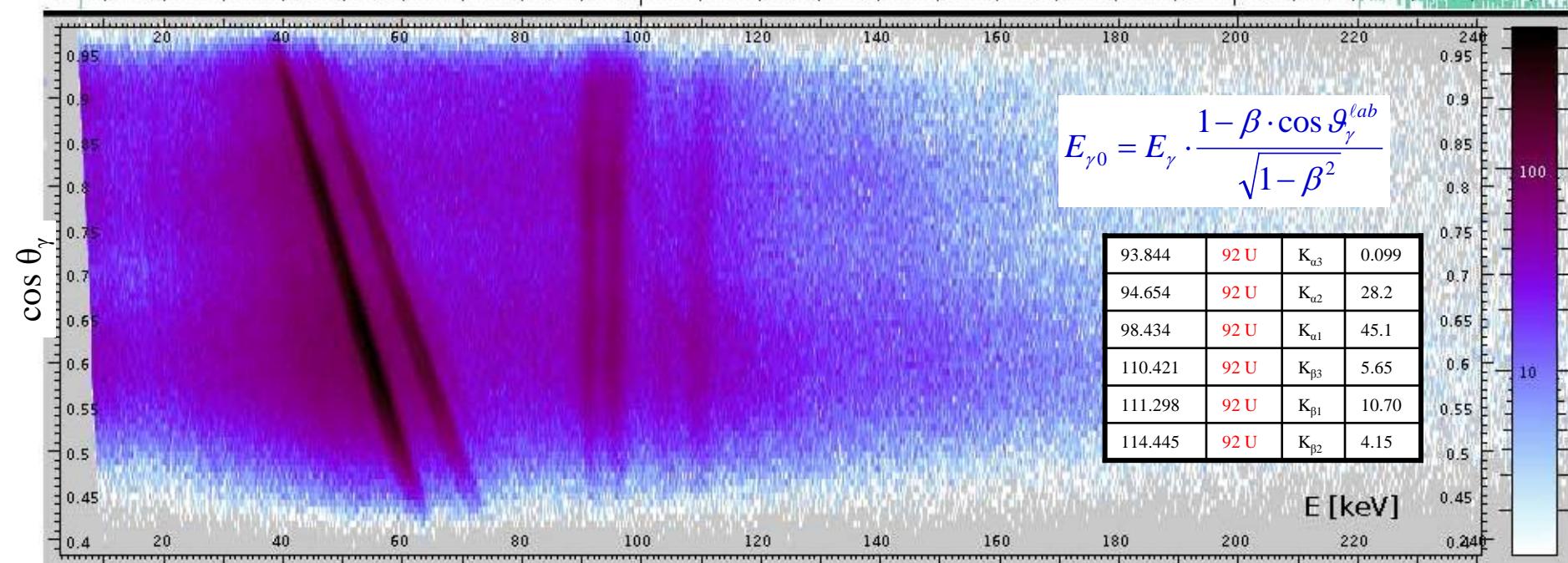
^{238}U on ^{197}Au (386 mg/cm²) at 183 AMeV



^{238}U
92

E [keV]

1000
100
1000
100

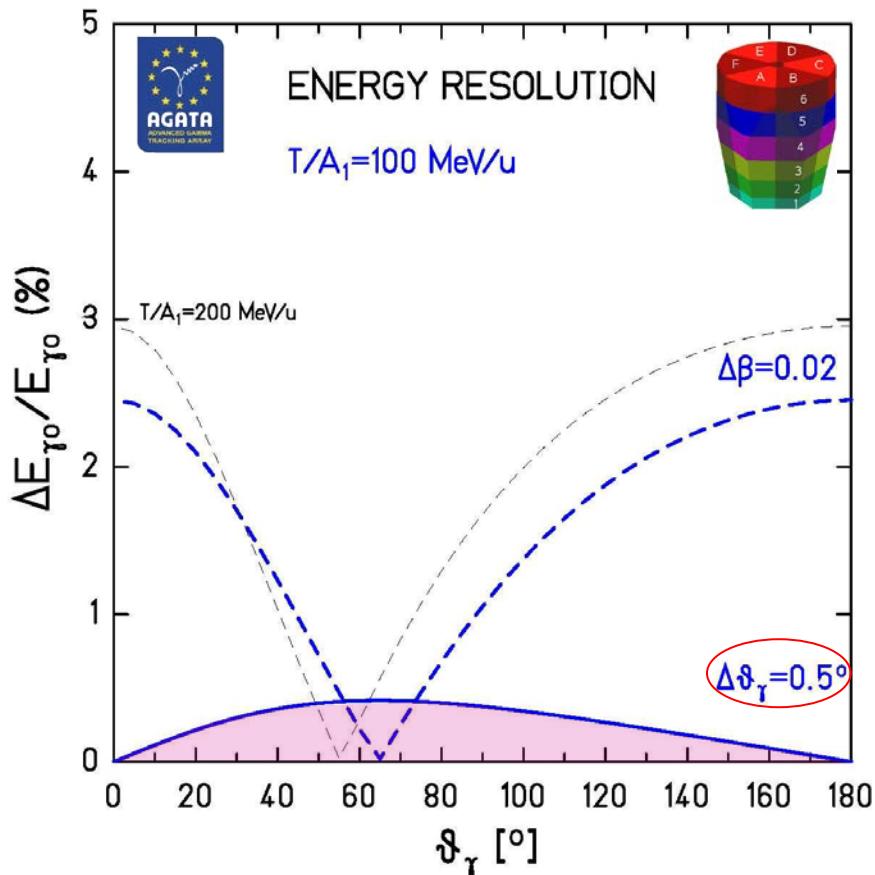
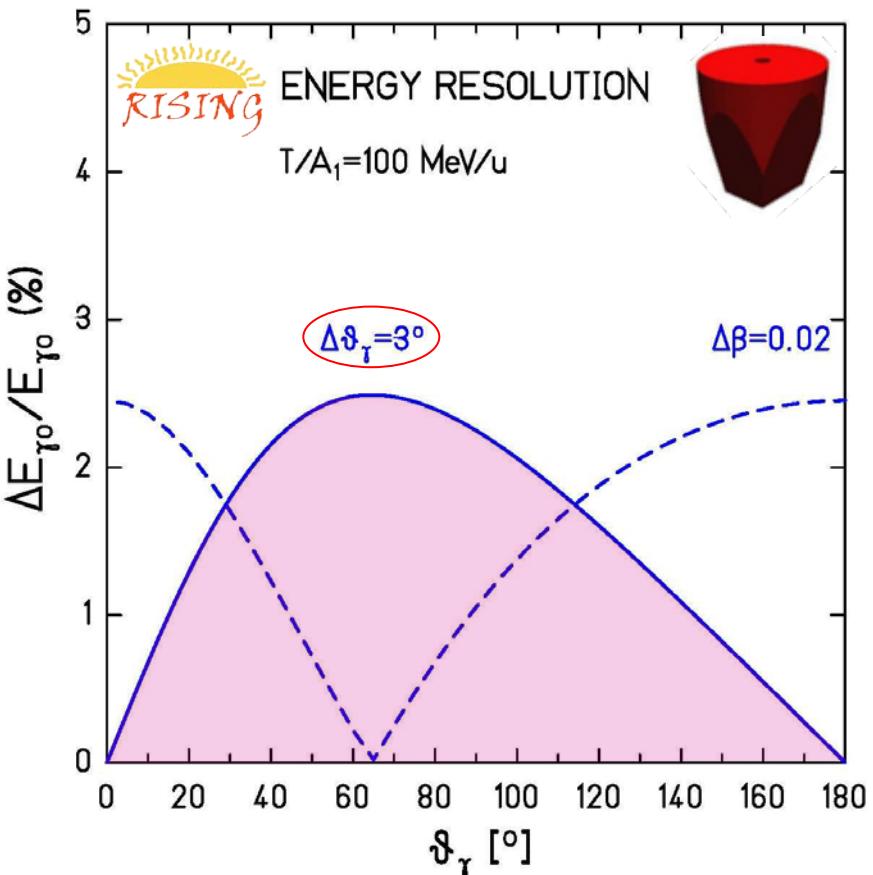


93.844	92 U	K _{a3}	0.099
94.654	92 U	K _{a2}	28.2
98.434	92 U	K _{a1}	45.1
110.421	92 U	K _{b3}	5.65
111.298	92 U	K _{b1}	10.70
114.445	92 U	K _{b2}	4.15

E [keV]

0.240
0.45
0.5
0.55
0.6
0.65
0.7
0.75
0.8
0.85
0.9
0.95
1.00

Doppler Broadening



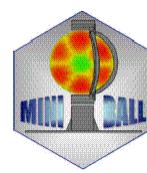
opening angle:

$$\frac{\Delta E_{\gamma_0}}{E_{\gamma_0}} = \frac{\beta \cdot \sin \vartheta_\gamma}{1 - \beta \cdot \cos \vartheta_\gamma} \cdot \Delta\vartheta_\gamma$$

slowing down in target:

$$\frac{\Delta E_{\gamma_0}}{E_{\gamma_0}} = \frac{\beta - \cos \vartheta_\gamma}{(1 - \beta^2) \cdot (1 - \beta \cdot \cos \vartheta_\gamma)} \cdot \Delta\beta$$

γ -ray set-up with higher efficiency

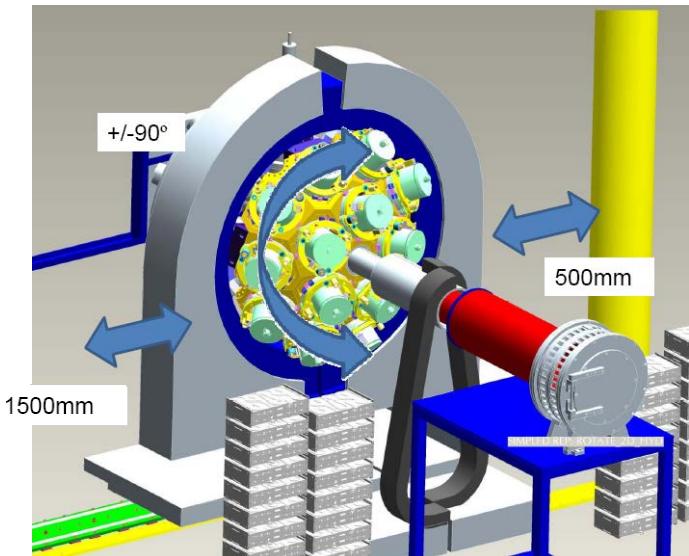


FAIR GSI

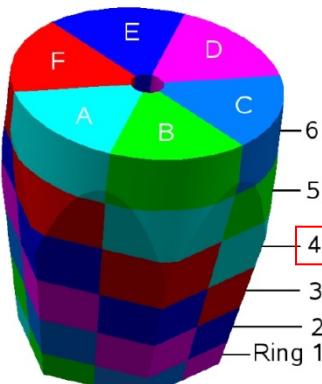
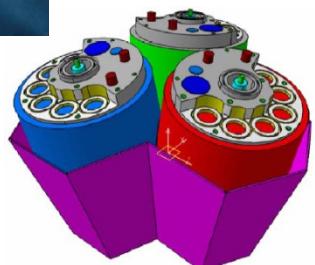
Advanced GAMma Tracking Array



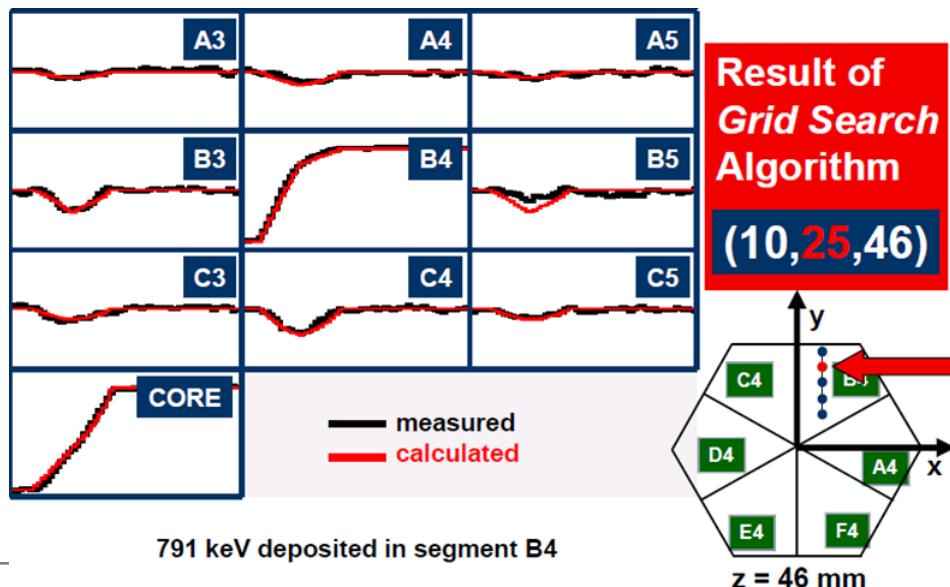
Encapsulation

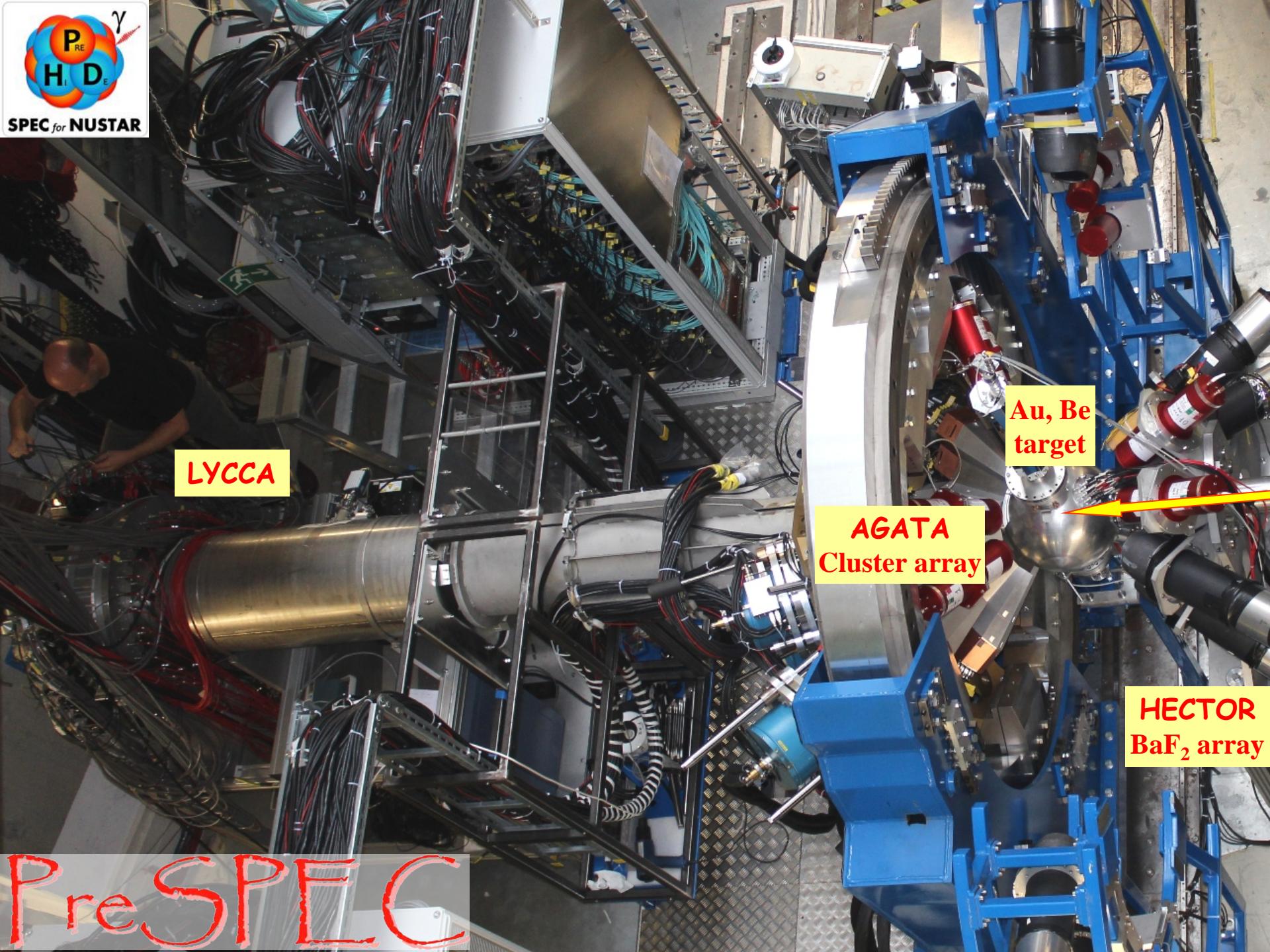


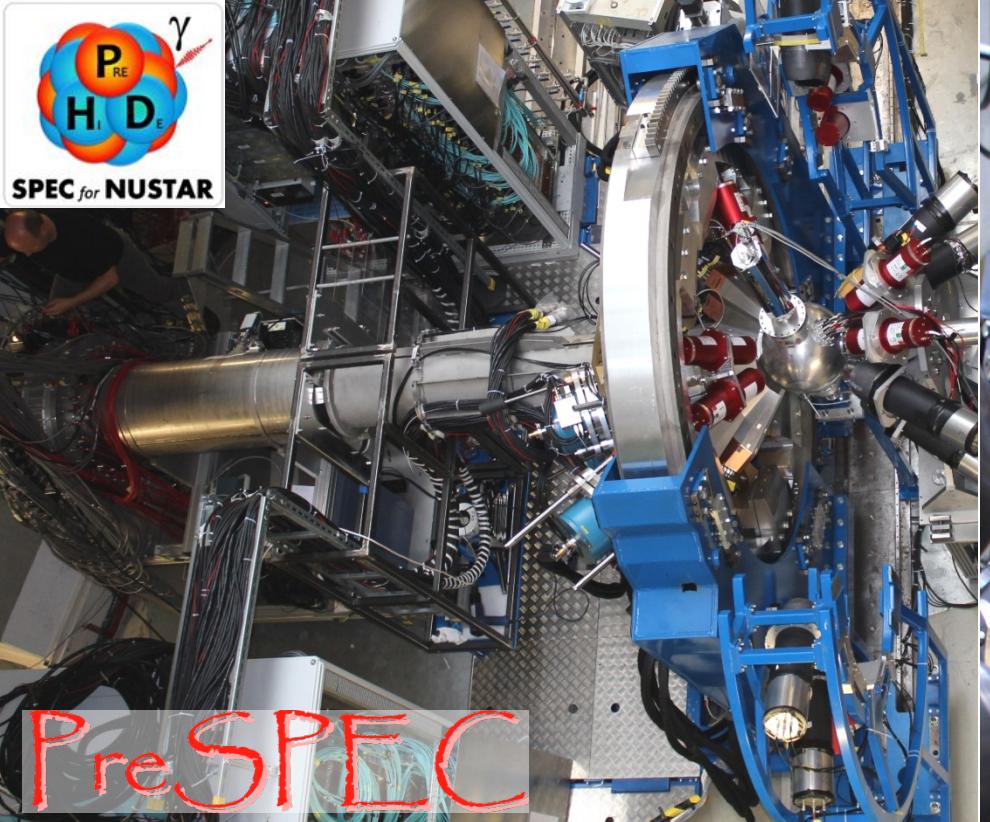
John Strachan



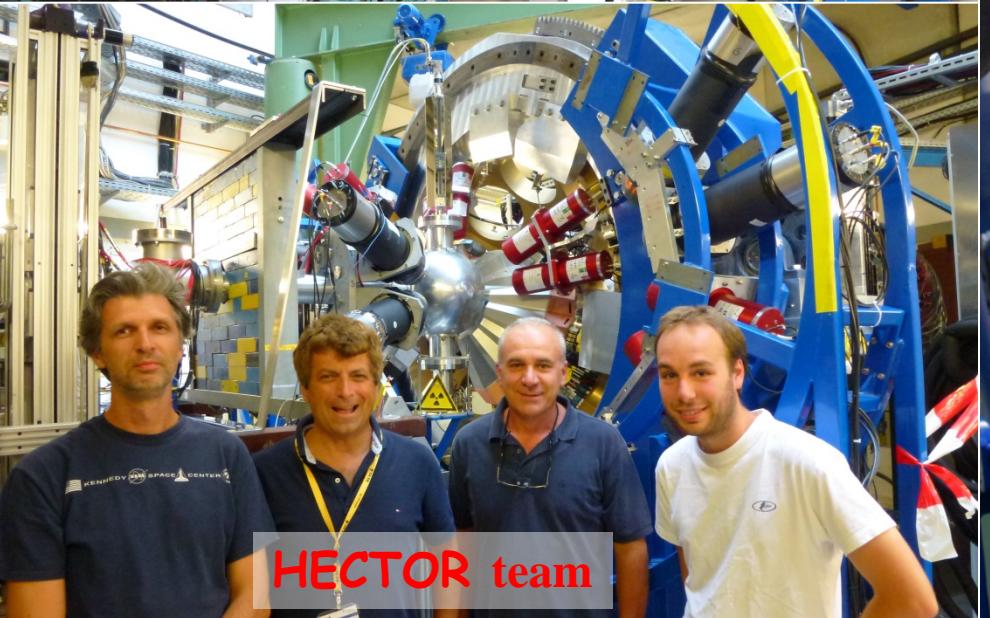
Signals from 36 segments + core
are measured as a function of time
(γ -ray interaction point)



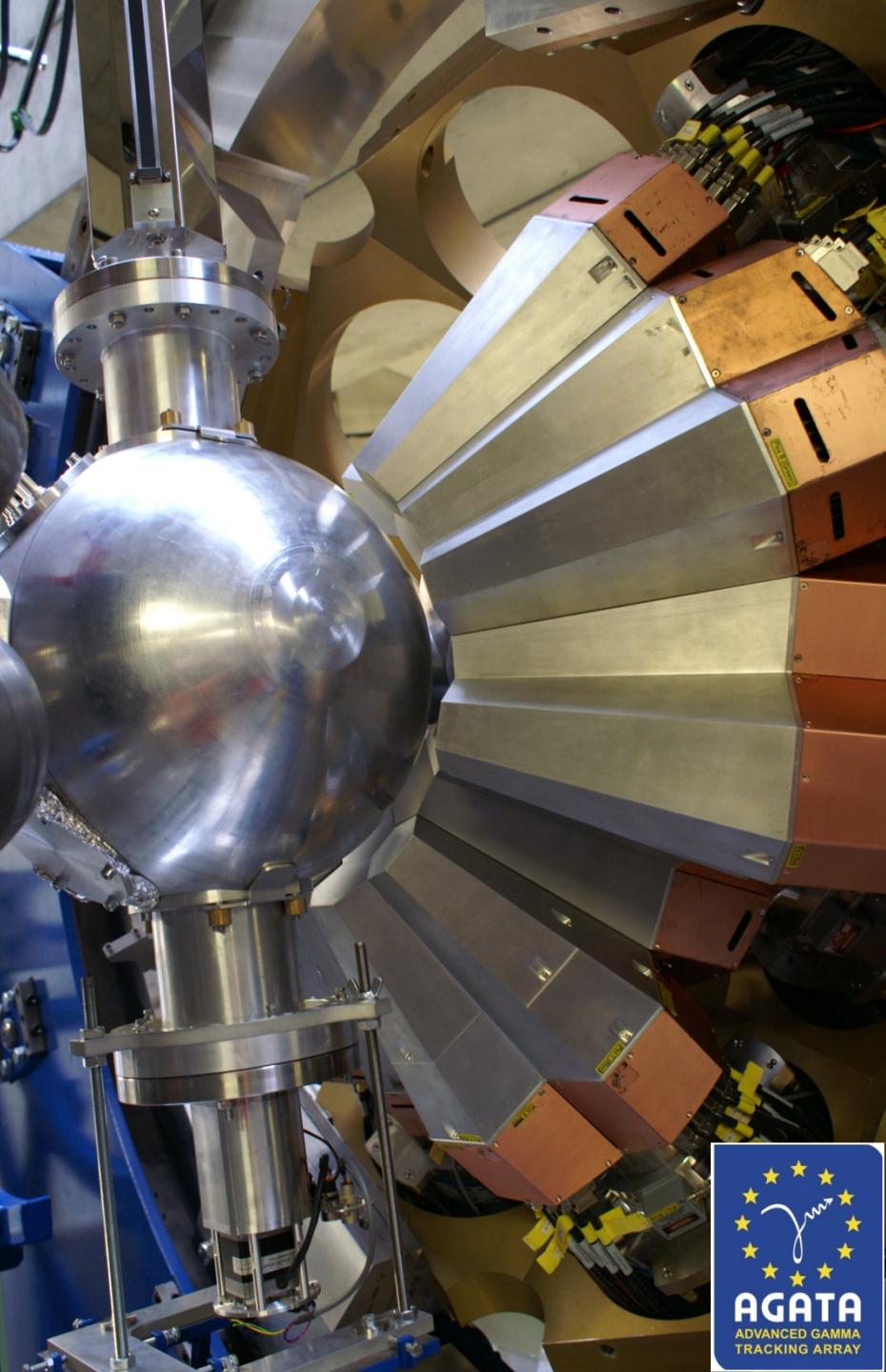




PreSPEC

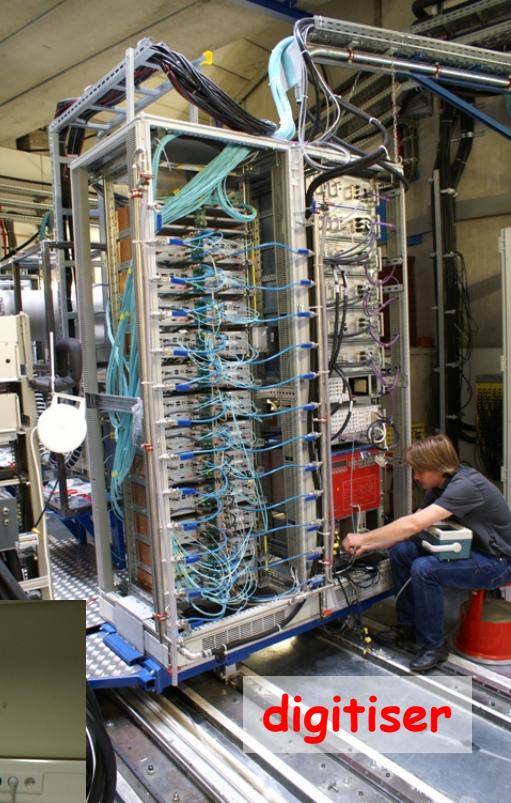
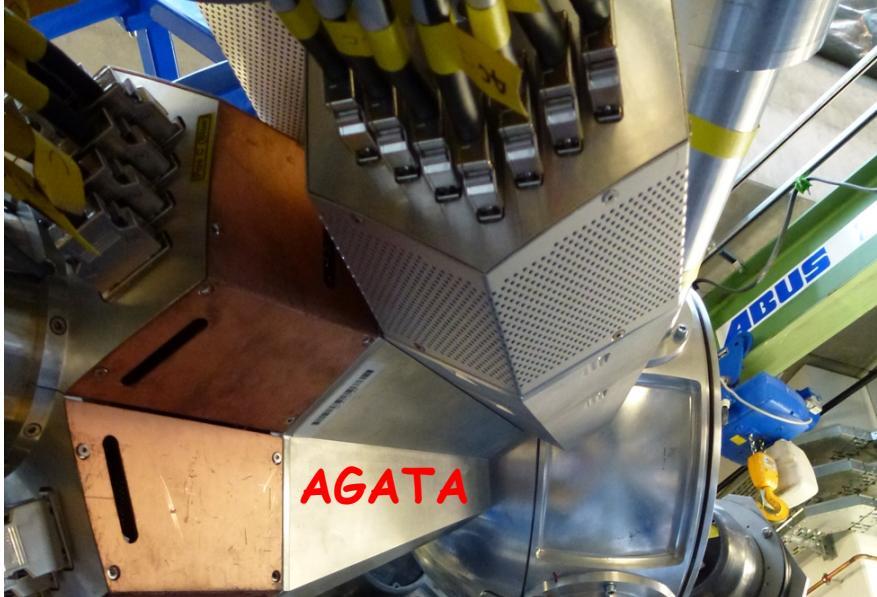


HECTOR team





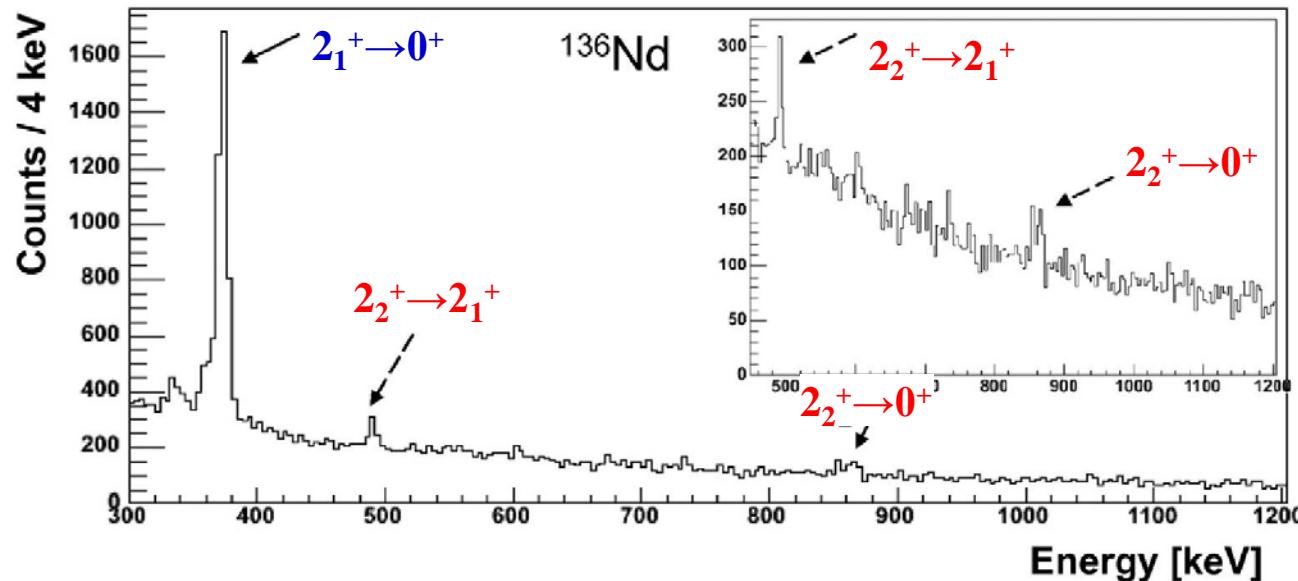
AGATA at PreSPEC



Damian Ralet,
Stephane Pietri

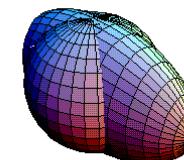


High-energy Coulomb excitation triaxiality in even-even nuclei ($N=76$)



First observation of a second excited 2^+ state
populated in a Coulomb experiment at 100 AMeV
using EUROBALL and MINIBALL Ge-detectors.

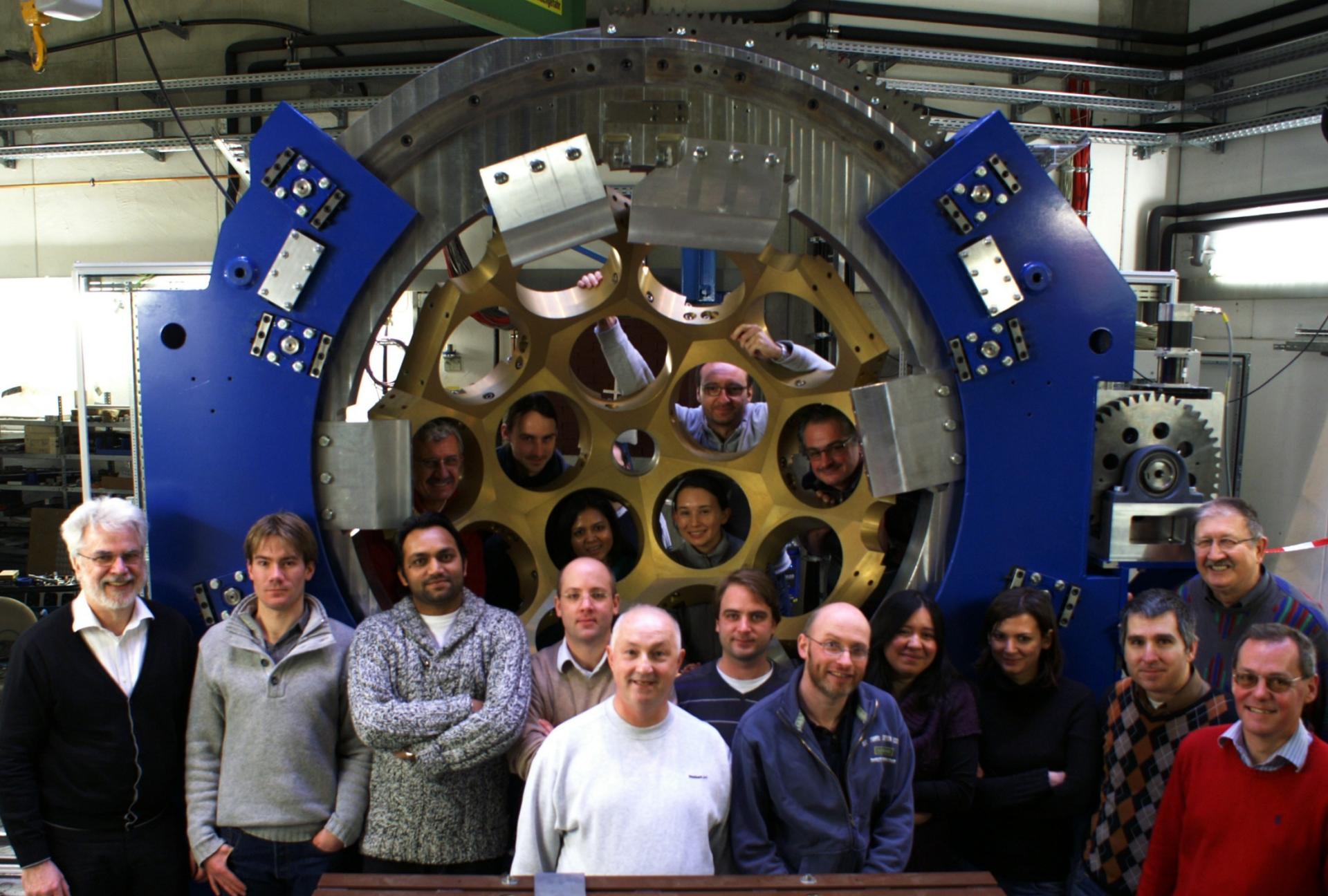
- shape symmetry
- collective strength



$$\frac{B(E2;2_2^- \rightarrow 2_1^+)}{B(E2;2_1^- \rightarrow 0)} = \frac{\frac{20}{7} \frac{\sin^2(3\gamma)}{9 - 8\sin^2(3\gamma)}}{1 + \frac{3 - 2\sin^2(3\gamma)}{\sqrt{9 - 8\sin^2(3\gamma)}}}$$

$$\frac{B(E2;2_2^- \rightarrow 0)}{B(E2;2_1^- \rightarrow 0)} = \frac{\frac{1 - \frac{3 - 2\sin^2(3\gamma)}{\sqrt{9 - 8\sin^2(3\gamma)}}}{\sqrt{9 - 8\sin^2(3\gamma)}}}{1 + \frac{3 - 2\sin^2(3\gamma)}{\sqrt{9 - 8\sin^2(3\gamma)}}}$$

$$\frac{E_2(2)}{E_1(2)} = \frac{3 + \sqrt{9 - 8\sin^2 3\gamma}}{3 - \sqrt{9 - 8\sin^2 3\gamma}}$$

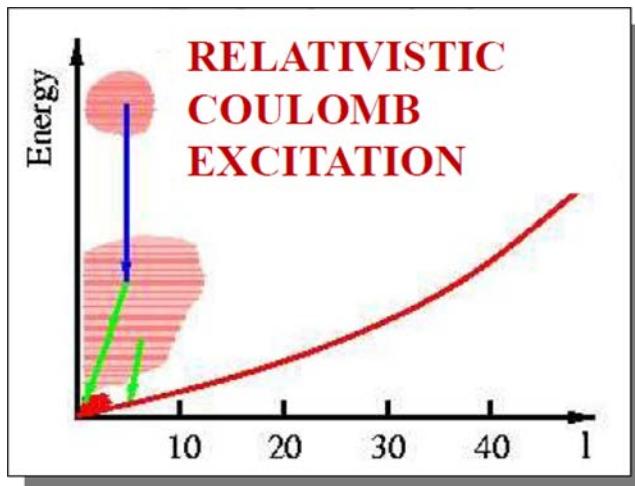


Ivan Kojouharov, Michael Reese, Namita Goel, Liliana Cortes, Frederic Ameil, Bogdan Szczepanczyk

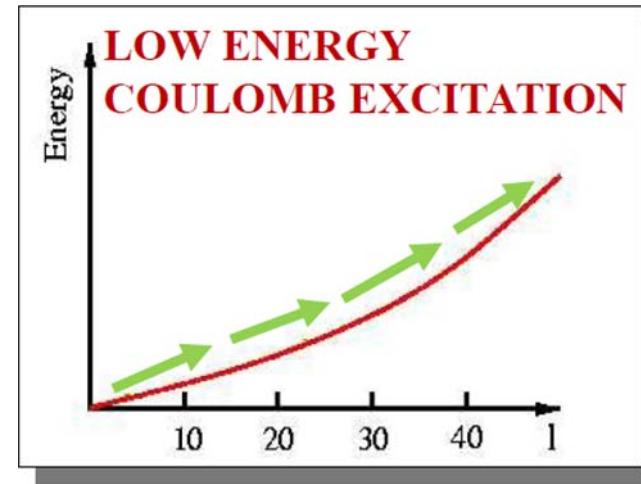
H.-J. W., Damian Ralet, Pushpendra Singh, Stephane Pietri, Tobias Habermann, Edana Merchan, Giulia Guastalla, Plamen Boutachkov, Adolf Brünle,

Ian Burrows, Jonathan Strachan, (Paul Morral), Jürgen Gerl, (Henning Schaffner, Magda Gorska)

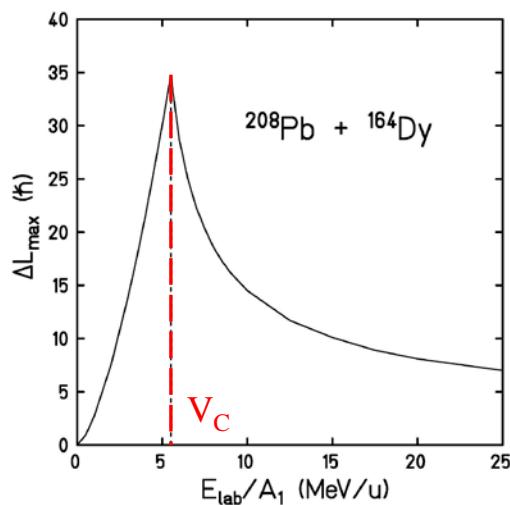
Slowed down beams – new experimental perspectives



collective strength



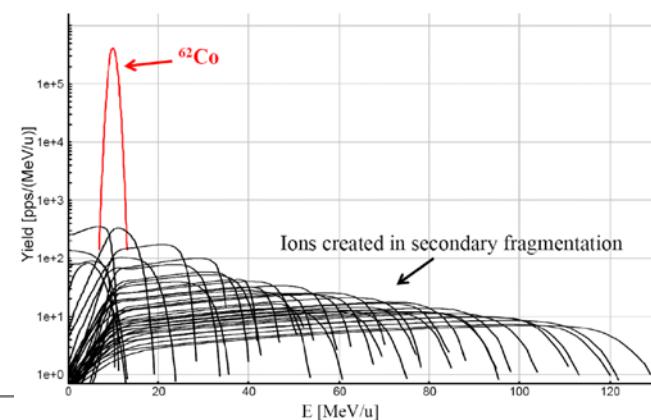
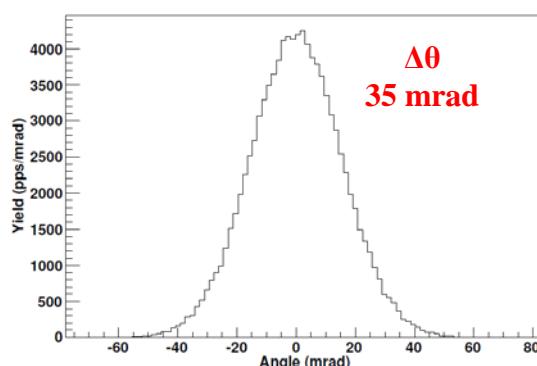
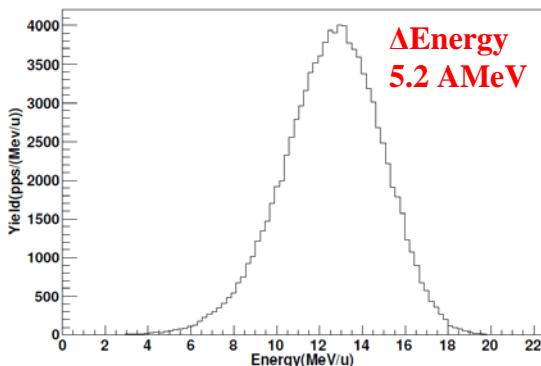
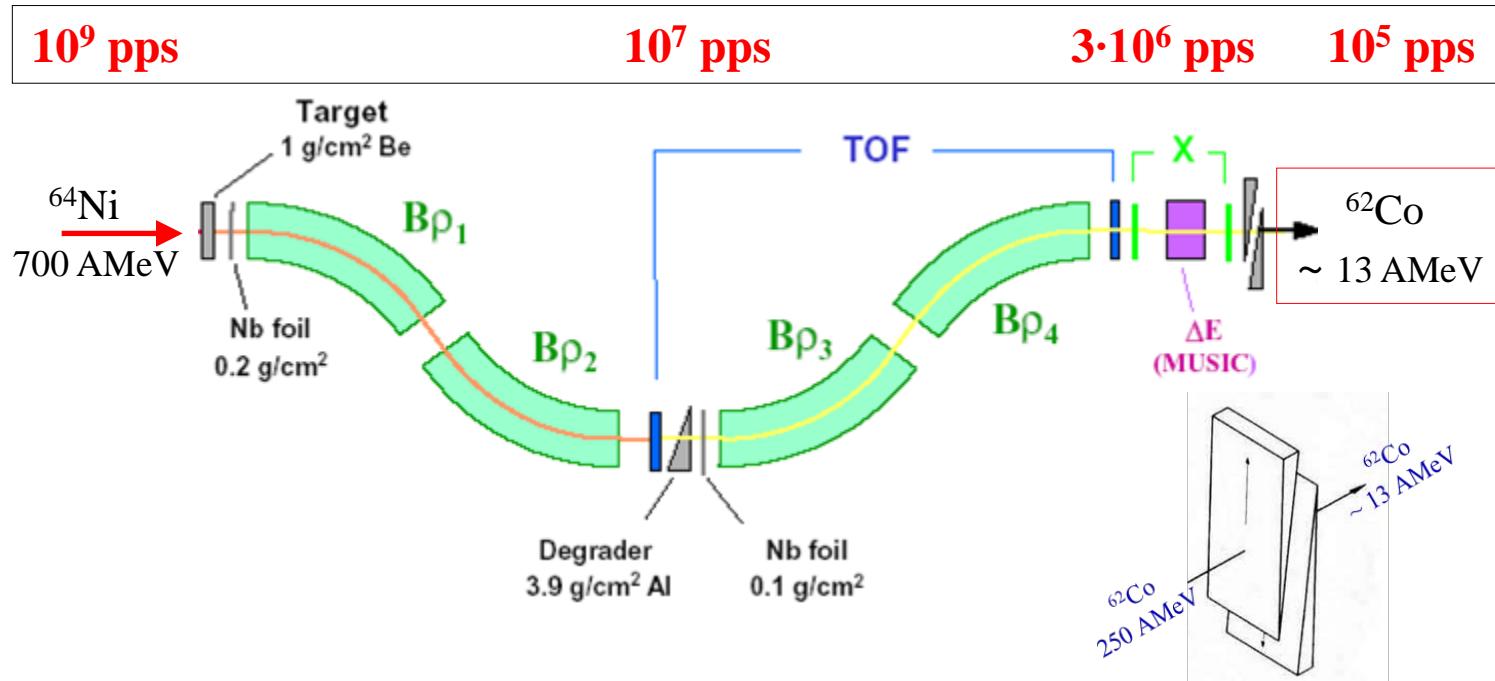
nuclear shape



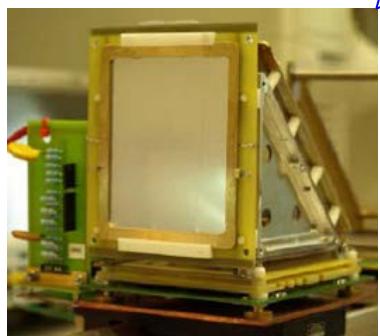
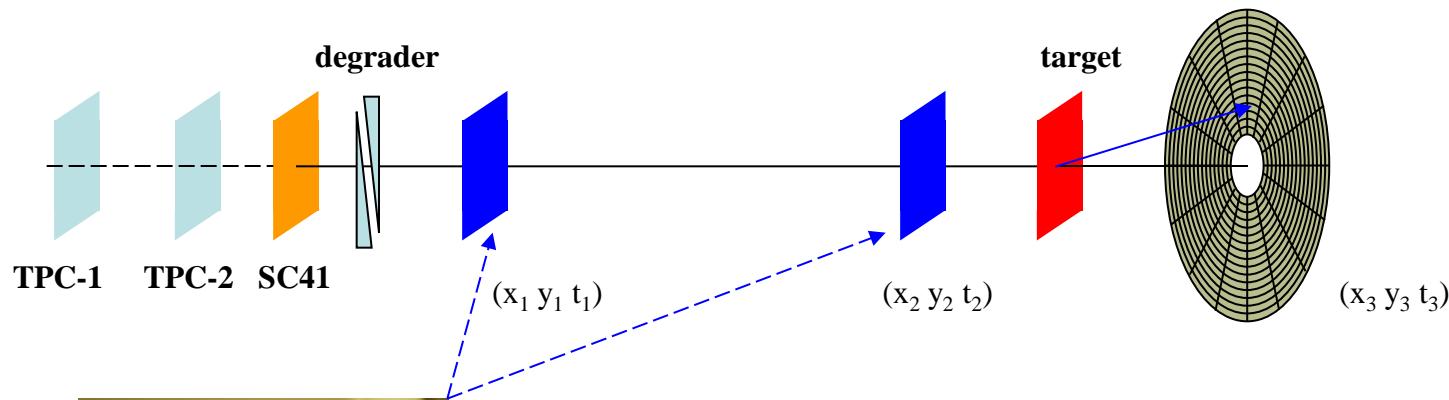
angular momentum transfer:

$$\Delta L_{\max} \cong \frac{Z_P \cdot e^2 \cdot Q_0}{4 \cdot \hbar \cdot v \cdot a^2} \cdot (1 - \cos \theta_{cm})$$

Slowed down beams – beam characteristics

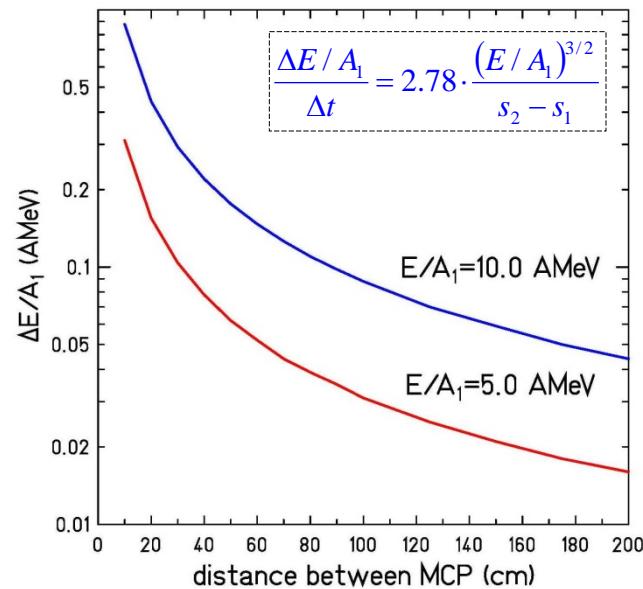


Slowed down beams – experimental set-up



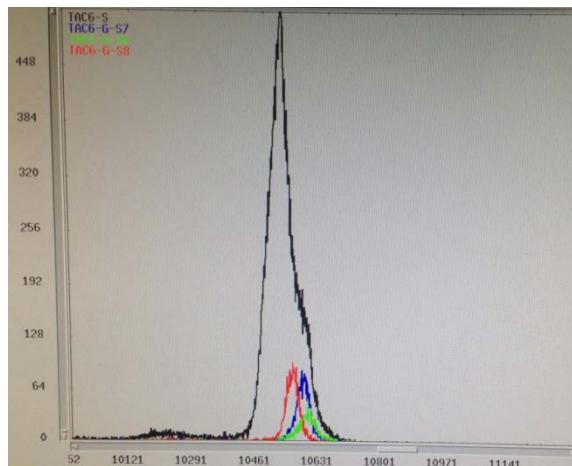
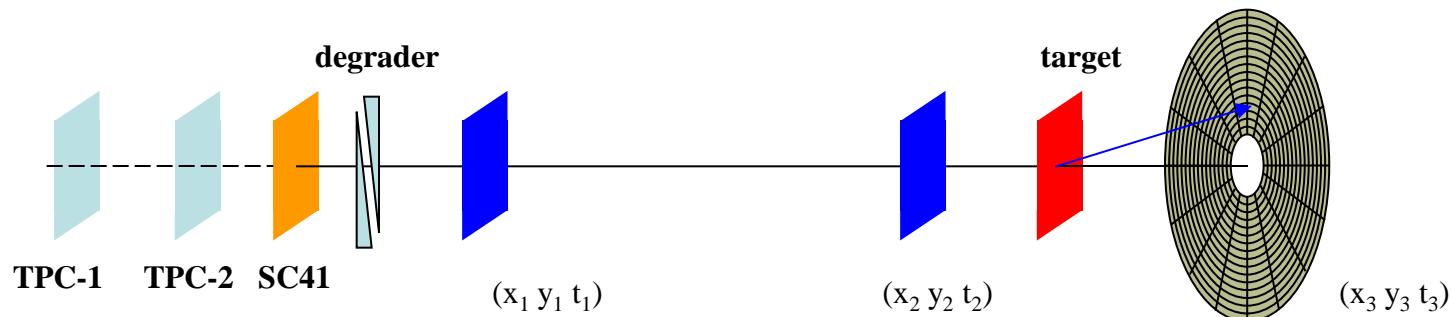
electrostatic mirror + MCP detector

position resolution ~ 1 mm
time resolution ~ 100 ps



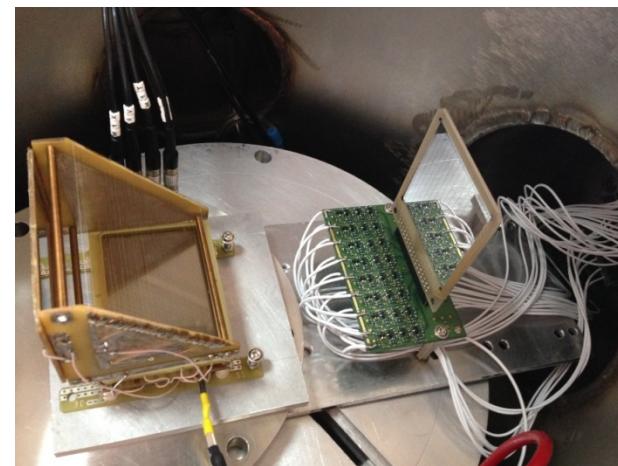
experimental results:
velocity β
beam energy E/A_1
scattering angle θ_{cm}

Slowed down beams – experimental set-up



TOF between MCP and DSSSD

Time resolution 200 ps for one of the 256 detector pixels

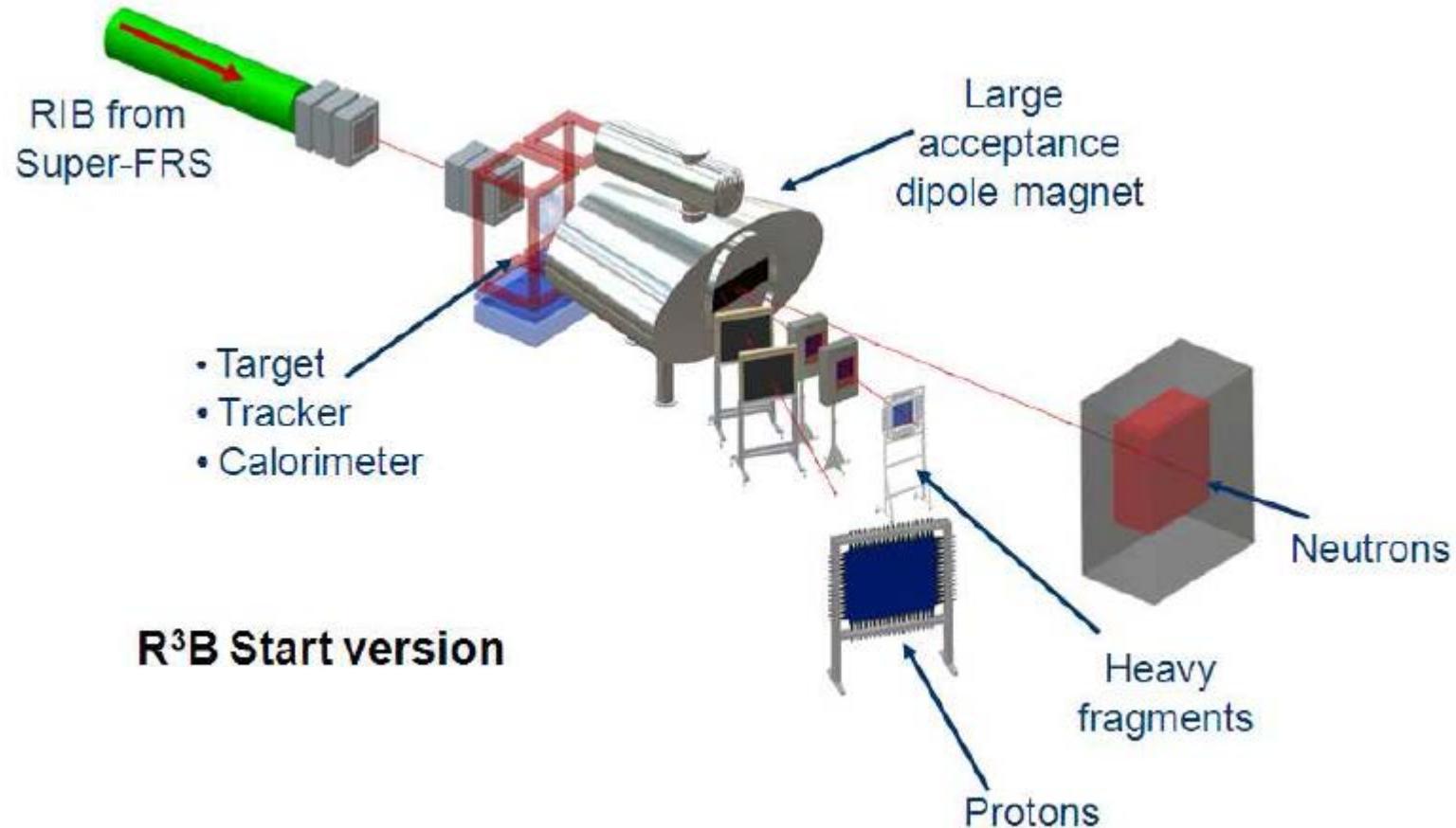


MCP

DSSSD

Akhil Jhingan (IUAC)

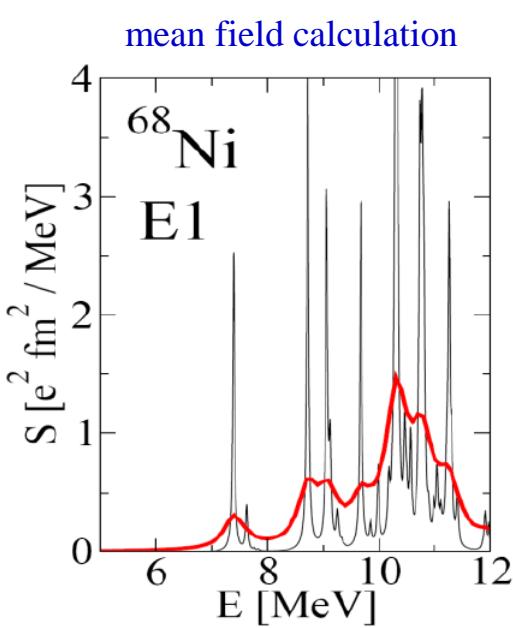
Reactions with Relativistic Radioactive Beams – R³B



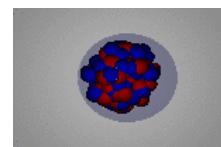
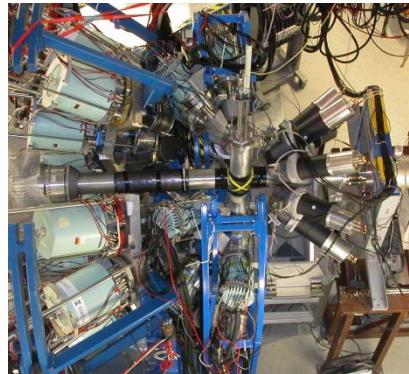
Excitation energy E* from kinematically complete measurement of all outgoing particles

$$E^* = \left(\sqrt{\sum_i m_i^2 + \sum_{i \neq j} m_i m_j \gamma_i \gamma_j (1 - \beta_i \beta_j \cos \vartheta_{ij})} - m_{proj} \right) c^2 + E_{\gamma,sum}$$

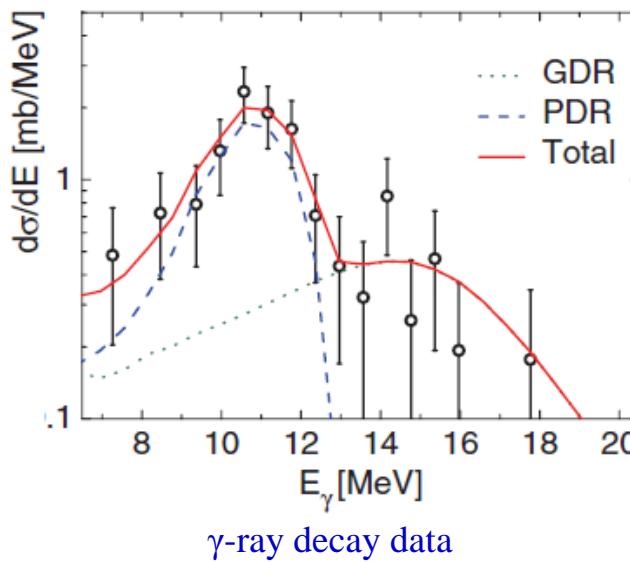
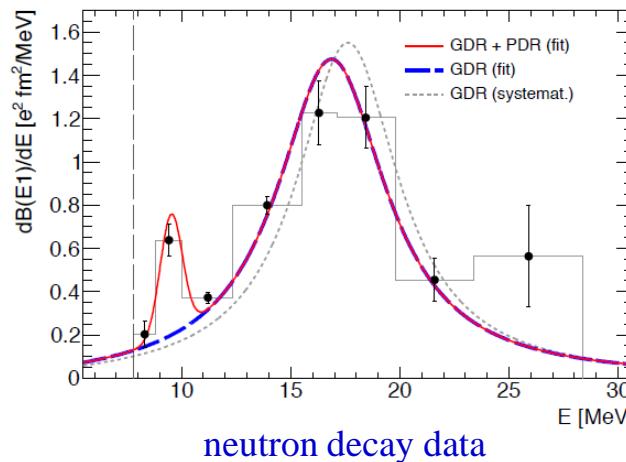
Dipole strength distribution of ^{68}Ni



E.Litvinova et al.; PRC 79, (2009) 054312



Pygmy resonance



direct γ -decay
branching ratio:
 $\Gamma_0/\Gamma = 7(2)\%$